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## THESIS

> REAL TIME PROGRAMMING OE A ROBOT
by

Paulo R. Souza

December 1986

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LBSTRACT (Continue on reverse if necessary and identify by block number)

Two difficulties that arise in controlling a robot arm (plant) are the changes in inertia and the lack of a velocity feedback. The inertia of the arm varies when the robot picks up or releases a load and the velocity would need a tachometer to be measured (expensive and not practical). one way to overcome those problems is to use an autoadaptive model to represent the plant. If the model "follows" the plant transfer function and both have the same input, the model can have velocity feedback and the effects will be reflected in the plant. The solution presented above was investigated and simulated in DSL by kenneth R. Wikstrom, in his thesis from NPS in September of 1986 . In the present research, a hardware and assembly software was designed and implemented based on the same structure mentioned in that thesis. The block diagram and autoadaptive algorithm were slightly modified and the plant was simulated in a dedicated analog computer. Two transfer functions were tested in the analog plant: a disk drive motor and a robot motor.

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Real Time Programming of a Robot

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#### Abstract

Two difficulties that arise in controlling a robot arm (plant) are the changes in inertia and the lack of a velocity feedback. The inertia of the arm varies when the robot picks up or releases a load and the velocity would need a tachometer to be measured (expensive and not practical). One way to overcome those problems is to use an autoadaptive model to represent the plant. If the model "follows" the plant transfer function and both have the same input, the model can have velocity feedback and the effects will be reflected in the plant. The solution presented above was investigated and sinulated in DSL by Kenneth R. Wikstrom, in his thesis from NPS in September of 1986. In the present research, a hardware and assembly software was designed and implemented based on the same structure mentioned in that thesis. The block diagram and autoadaptive algorithm were slightly modified and the plant was simulated in a dedicated analog computer. Two transfer functions were tested in the analog plant: a disk drive motor and a robot motor.


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## I. INTRODUCTION

The positioning of a robot arm with just one degree of freedom can be a hard task if some constraints are imposed by the problem. Some of the requirements and or restrictions can be:

1. Accuracy.
2. Minimum time.
3. 入o overshoot.
4. Velocity measurements are not available.
5. Loads can be changed during operation.

The accuracy and overshoot are common requirements and will not be discussed. The minimum time requirement is, in a way, incompatible with the lack of a tachometer to provide velocity measurements. How can the motor achieve the required position with no overshoot and minimum time without the knowledge of the velocity along the trajectory? It cannot be done unless the velocity can be guessed using the position information that is readily available. In this case the curve following method can be used and the arm will be decelerated after some suitable point in the trajectory.

What is the effect of changes in the loads? They will modify the inertia of the system and the transfer function of the plant. So, a real time identification algorithm is needed to detect inertia changes and update the controller.

With these constraints and solutions in mind let us analyze the scheme proposed in Figure 1.1. The plant represents the arm and motor of the robot. The model is a very simple approximation of the plant. Both model and plant are driven by the same input. The identification algorithm receives both outputs, identifies the actual plant parameters and updates the model in order to keep C.M and CS as close as possible.

The theoretical scheme was treated in [Ref. 1] and will not be detailed here. However, the block diagram will be explained in Chapter II. The purpose of this research was to implement the real time system using a microprocessor, in a protoboard level. The model and controller were implemented by software in the microprocessor and the plant was simulated using analog hardware.

When the desired position is achieved the controller, that was in "bang-bang" mode, can be switched to a linear compensator. This feature is important but was not


Figure 1.1 Simplified block diagram of the system.
implemented in this thesis since our goal was to prove the feasibitity of the autoadaptive ałgorithm using a servo system as a controller.

The identification algorithm was chosen to be efficient and simple. The algorithm used in this thesis is found in [Ref. 1] and witt be referred as "The Wikstrom Atgorithm". It will be briefly discussed in Chapter II and the software implementation will be presented in Chapter III (subroutine "Walg").

The proposed system studied on a block diagram basis is presented in Chapter II. The 16 bits software design is discussed in Chapter III. Chapter IV presents the hardware for the analog plant and the microprocessor. The results are presented in Chapter V. The conclusions and some possible areas to be studied are treated in Chapter V1. The 16 bit progran (called "Yodel") and the monitor program are presented in Appendices $A$ and $B$, respectively. The procedures to operate the hardware are discussed in Appendix $C$.

The Z-80 microprocessor was chosen to implement the system for three main reasons:

1. The monitor was atready developed and, with small changes, could provide all the support needed to rin and debug the soltware.
2. The author is very familiar with this microprocessor.
3. The time requirements to operate a robot arm are not a constraint to the use of this microprocessor. On the other hand, the idea behind the model.controller and algorithm is still valid for a faster microprocessor.

All the software was developed using the Z-100 and Data I, O in the Digital Lab. The programs were stored on floppy disks, under CPM operational system, and transferred to EPROM's via Data I/O. Once in EPROM's they were installed in the protoboards and then executed using the monitor. The debugging process was done using some features of the monitor that will be explained later on.

The microprocessor and interfaces treated in this research can be considered as individual parts of a large system. Suppose a robot with multiple arms, mechanically coupled by joints. Each arm will have a terminal microprocessor (TM). This microprocessor implements the model, controller and updating algorithm accomplished in this thesis. The position input for each arm is commanded by a central computer. This command is applied directly to the corresponding Terminal Microprocessor, as shown in Figure 1.2 .

The inputs to the central computer (CC) are the actual and desired (future) position of each arm. Based on this data it calculates the best trajectory for each arm and sends the individual position command for the T.M's. The central computer does not worry about changes in the inertias or other factors that can occur in the individual arms. These problems are solved by the terminal microprocessors.


Figure 1.2 The Central Computer and the Terminal Microprocessors.

## II. THE PROPOSED SYSTEM

## A. INTRODUCTION

The entire system can be separated in three different areas: model. plant and algorithm, as presented in Figure 1.1. However, physically, there are two main parts: the digital microprocessor that contains the model and algorithnn. and the analog implementation of the plant that represents the robot arm.

The whole system is depicted in Figure 2.1 and the only difference between this one and that presented in [Ref. 1] is the input of the plant. In [Ref. 1] the plant input is XDOTE and here is V . This choice simplifies the hardware of the plant and still keeps the requirement that both model and plant have to have identical inputs.

## B. MODEL AND CONTROLLER

The simple model that tries to approximate the plant consists of two integrators and a constant gain. Km. as shown in Figure 2.2. The servo mechanism with velocity curve following and "bang bang" amplifier that was shown in Figure 2.1 belongs to the controller.

Now that the controller is separated from the model. let us go back to Figure 2.1 and examine every block. The input of the regulator, R. is a step command that determines the angular movement of the robot arm. The error. E, is the input of the curve. The curve approximates the deceleration curve of the motor and is a parabola. Mathematically, we have
$\mathrm{XDOT}=\mathrm{A} \sqrt{\mathrm{E}}$, where $\mathrm{A}=\mathrm{K} 1 \sqrt{2 \cdot \mathrm{Km} \cdot \mathrm{Vsat}^{2}}$
$\mathrm{V}_{\text {sat }}=$ saturation limit of the amplifier
Thus, from the servo error and the knowledge of the system, the desired velocity, XDOT, is computed by taking the square root of the error and multiplying by A.This velocity is compared with the actual velocity, CDOT, to generate the velocity error, XDOTE, that drives the amplifier (limiter). If the actual voltage, CDOT, is less than the theoretical one, XDOT, the limiter is set to $+V$ sat ( +10 volts), that means, the system keeps applying "full power" to get to the desired position. The curve foliowing process is illustrated in Figure 2.3. When CDOT reaches XDOT the deceleration process starts and the limiter alternates $-V$ sat and $+V$ sat at its output in a bang bang process. The gain K 2 is very large to guarantee the full acceleration.


Figure 2.1 The Proposed System.


Figure 2.2 The simple model.

## C. THE PLANT

In this research two plants were tested, a disk driver and a robot motor. The transfer function of the disk driver was implemented first and in order to compare with the results obtained in [Ref. 1] the motor and load parameters were assumed to be the same, that is, the motor of a disk driver and a very small arm. As presented in Figure 2.1 it is a second order system with a mechanical pole at $20.55 \mathrm{rad} . \mathrm{sec}$, a pole at the origin and a gain equal to $13 . j$.

## D. THE IDENTIFICATION ALGORITHM

The identification algorithm is represented in a separate block in Figure 2.1 because it has a specific function and "connects" plant and nodel. However, it is a piece of software included in the microprocessor and imbedded in the program . Model.

The specific function of the algorithm is to measure the plant output and update the model parameters in such a way that the model approximates the plant the best it can. Since both model and plant have the same input. if they have identical transfer functions they will have the same behavior. This is what we need because the model is


Figure 2.3 Curve Following Process.
perfectly controllable with position and velocity feedback. Thus, controlling the model, the plant will be controlled.

In an ideal case the model will be exactly the same as the plant during the entire trajectory. This was the case when, as an experience to observe the behavior of the analog plant. it was set up as a double integrator and a gain, becoming a copy of the model. The results were fine and will be presented in detail in Chapter IV. where the plant hardware is discussed.

As mentioned in Chapter I the algorithm used in this thesis was developed by Wikstrom in [Ref. 1] for a disk driver system whose transfer function is that of the plant studied in Chapter 1 V . Wikstrom considered two mandatory requirements to implement the autoadaptive algorithm:

1. The calculations must be reasonably accurate to allow the model states to approxmate the trapectory of the serio motor during the seek mode. The seek mode occurs in the full acceleration phase of the trajectory.
2. The calculations must be simple to minimize the computation time.

In the algorithm, the gain Km . the model output CS and the model velocity CDOT are updated. In the ideal model if $C$ is the position and Vsat the saturation voltage of the amplifier we can write:

$$
\mathrm{C}=\mathrm{Km} \cdot \mathrm{~V}_{\mathrm{sat}}\left(\mathrm{t}^{2} ; 2\right) \rightarrow \mathrm{Km}=2 \mathrm{C} \cdot \mathrm{~V}_{\text {sat }} \cdot \mathrm{t}^{2}
$$

For a sampling interval equal to $\mathrm{T}, \mathrm{t}=\mathrm{N}$, where N is the number of sampling intervals that occured up to time t . Letting $\mathrm{C}=\mathrm{CS}$ :

$$
\mathrm{Km}=\frac{2 \mathrm{CS}}{\mathrm{~V}_{\mathrm{sat}}(\wedge \mathrm{~T})^{2}}
$$

The velocity of the plant can be computed as

$$
\operatorname{CSDOT}=\frac{\operatorname{CS}-\operatorname{cs}(\therefore-1)}{T}
$$

Or, more accurately

$$
\operatorname{csDOT}=\frac{2[\operatorname{CS}-\operatorname{cs}(\Upsilon-1)]}{T}-\operatorname{csDOT}(\Omega-1)
$$

## III. SOFTWARE DESIGN - 16 BITS

## A. INTRODUCTION

As pointed out in Chapter II, the model is just a double integrator with a constant gain Km . The controller is the servo system with position and velocity feedback and a velocity curve following. The block diagran of this system is depicted in Figure 2.1.

In order to simplify the task for the microprocessor the amplifier was assumed to be just a limiter without any linear region and the gain K 2 that appears in Figure 2.1 is not needed anymore. The system will have a "bang-bang" control, that is. V will be +10 or -10 depending upon the value of XDOTE.

The software for this digital servo was designed following the natural sequence of the servo itself, from $R$ to C.M. In order to keep a uniform notation. equations. block diagrams. flowcharts and programs have the same name for the corresponding variables. The only difference is that in llowcharts and programs the dot above the letter, indicating derivative, is literaily written. For instance, $\dot{C}$ or CDOT represent the derivative of C . Another point that must be clarified is that the output of the model is cailed C.M in the assembly program. rather than C , to avoid confusion with the C register. Thus, the derivative of C.M should be C.MDOT but is called CDOT to simplify the notation. The flowcharts presented in this Chapter are directly related with the 16 bit program ".Model", presented in Appendix A. The instructions used in the program are based in [Ref. 2].

## B. MAIN PROGRAM

The two first blocks of Figure 3.1 initialize the parallel port and some variables . The parallel port organizes the traffic between the discrete and continuous world involved in this research. The function of each port will be explained in detail in Chapter IV where the hardware is presented. The variables used in the main program are discussed in the following paragraphs.

The step input, R . is the position to be achieved by the robot arm. Its value can be entered from the keyboard and is requested by the program. The maximum value allowed is 127. limited by the eight bit A D converter. C.M is the output of the model and represents its actual position. C.M1 is the position at time t minus one. that is, the


Figure 3.1 The Main Program - Flowchart A.
previous value of C.M. The actual velocity of the model is CDOT. This velocity is fedback to be compared with XDOT as shown in Figure 2.1. CD.M1 is the model velocity at time $t$ minus one or the last value of CDOT. CDDOT is the actual accelcration of the model. CDD.M1 is the previous value of the acceleration.

The output of the plant is called CS and represents the actual position of the robot arm. C.MCF represents the product between C.M and CF, where CF is a correction factor used to raise the value of C.M before integration. This will be explained later in this Chapter. XDOT is the velocity computed on the basis of the deceleration curve of the motor, as mentioned in Chapter II. XDOTE is the difference between the desired and actual velocity of the model. K.M is the motor gain. $X$ is a temporary memory for the index register IY. This register points to the next position of the memory available for data storage and its value is copied into the memory location Nin order to check the end of memory. The memory available to store data goes from 1600 H to 23 FFH . So, the storage process must finish when the most significant byte of IY reaches 2 H . $\therefore \mathrm{N}$ counts the number of sampling intervals which have occured up to the present time and is used in the Wikstrom algorithm to compute the value of Kin.

During the development of the software, all important variables were presented on the screen on-line. using a routine called WRITE. This routine was called after an operation as. for instance, an addition, and displayed the result stored in the register pair HL. In this fashion, the following variables were monitored in each loop: Error, square root of error, XDOT. XDOTE. CDDOT, CDOT, C.M and CS. They were presented on the screen in hexadecimal codes. The only problem with this routine is that more than 400 microseconds were required to display one variable and this caused too much delay to the program. When the analog plant is part of the system we cannot afford such delays since the continuous systen does not stop working. The alternative solution is to display the partial results off-line using the routine DISPLAY. But. before using this routine, the data must be stored in the memory. Thus, the routine WRITE was replaced by the routine STORE. This routine takes the value of the variable stored in the register pair HL and stores it into the data memory (from 1600 II to 23FFH).

In some cases we do not need to store the variables in each consecutive loop but. for instance, store then each fifth loop. Thus, a flag must tell the STORE routine when a data is to be stored. This is the role of MFLAG. If MFLAG is zero the data is
stored and when it is different than zero no data is stored. NS is the variable which controls the number of loops that will not be displayed. When the memory is full the flag is disabled and no more data is stored. However, the program continues running normally. The operation scheme of MFLAG is shown in Figure 3.2. At the beginning of the program MFLAG is initialized to zero. So, during the first loop the data is stored by routine STORE. At the end of the loop $\ S$ is incremented and checked. Since its value is not 5 yet, MFLAG becomes FFH and no data is stored in the next four loops. In the fifth loop $\mathrm{N} S$ is 5 and the flag is inverted. beconing zero again and the sixth loop has data storage. But $\lambda$ S is set to zero again and the process is repeated until the memory available for data storage is full. At this point the flag is converted to 53 H and from this point the inversion that occurs when $\bar{N}$ is 5 does not convert the flag to zero anymore. That is, no more data is stored.

The main program is structured with many subroutines. Some of them belong to the monitor and will be briefly discussed here. The monitor, whose program is presented in Appendix B. is the operational system that supervises the microcomputer. The remaining subroutines will be discussed in the next paragraphs.

The subroutine STRING (monitor) receives characters from the keyboard and stores them in a stack. The subroutine HEXCONV (monitor) converts the data stored in the stack from ASCII to hexadecimal and stores them into the register pair DE. The subroutine SCRLF (monitor) provides carriage return and line feed.

The subroutines SLBTRACT, ADDITION, MULTIPLY, DIVIDE and CURVE when performed store the result in the register pair HL. The operands must be in register pairs $D E$ and HL before the subroutine is called. In the case of the subroutine CURVE (input is the position error and output is $\lambda D O T$ ), the operand must be in HL. In the subroutine SLBTRACTION the operand stored in DE is subtracted from the operand stored in HL. In the subroutine DIVIDE the operand stored in HL is divided by the operand stored in DE.

In order to be stored by subroutine STORE the data must be in register pair HL. This is very convenient since all operations send the result to these registers and all important variables come up from some operation.

All variables and subroutines that appear in Figure 3.1 were discussed in the previous paragraphs. Summarizing the operation of these first blocks:

1. The Parallel interface is set up
2. Variables are initialized


Figure 3.2 Data Storage Control.
3. Messages are sent to the screen introducing the system and asking for the angle input ( $R$ ).
4. GETSTRII gets the characters from the keyboard. HEXCONV transforms them from ASCII to hexadecinal.
The main program continues in the flowchart of Figure 3.3. The value of the input position $R$ is saved as an hexadecimal quantity. Between this block and the next is located the position feedback of the servo loop. The actual position is subtracted from the input position and the result is stored for future presentation (off-line). Register C is set as a flag to indicate if the position error is positive or negative. The error is tested. If it is negative, C is set to 1 and the number is converted to positive. If it is positive, no action is taken. XDOT is computed by subroutine CURVE and the result is stored into the register pair HL.

The flowchart of Figure 3.4 starts with register C being tested. If it is zero, the error was positive and no action is taken. If it is different than zero, the error was negative and XDOT is converted to negative. In both cases, XDOT is stored for future presentation on the screen. The actual velocity, CDOT is subtracted from XDOT resulting XDOTE. which is stored.

Continuing the description of the main program, the blocks of Figure 3.5 can be described in the following way. XDOTE, computed in the last operation is available in HL. Its value is checked. If it is positive, the variable V is set to +V sat and if it is negative, V is set to -Vsat and the flag K.MFLAG is set to 1 . The value of V is the input of the model and also the input of the analog plant and must be sent to the digital to analog converter. The gain Km is multiplied by V and the result is stored.

The product of V and Km just computed represents the acceleration (CDDOT) of the model and its integration yields the velocity. Before discussing the flowchart that shows this computation. let us explain briefly the trapezoidal integration used in this program. Mathematically we have CDOT $=$ CDOT $+($ CDDM1 + CDDOT $)$ T2, where the previous value of CDOT is added to the trapezoidal area formed by the actual and previous value of CDDOT and the time lapsed between them, as illustrated by the shaded area in Figure 3.6 .

A very important point in the integration process is the integration step. T. It was determined by simply replacing the instructions "JR PLLS" and "JR VOLTS" by " $\mathcal{O}$ OP" instructions. Thus, the $\pm 10$ Volts are sent to the analog input and the time interval can be measured with an oscilloscope. It turned out to be 1.1 msec .


Figure 3.3 The Main Program - Flowchart B.

In Figure 3.7 the flowchart of the trapezoidal integration of the acceleration is presented and can be described as follows: The acceleration CDDOT . just computed, is saved. The previous value of CDDOT is loaded into the register pair DE and the actual value of CDDOT is stored in CDD.M1, that is. CDD.M1 is updated. The actual and previous value of the acceleration are added. The register pair DE receives $\mathrm{T} 1=$ 2 T . This transformation is necessary because T is a very small value and cannot be represented by a 16 bit integer number. So, instead of a multiplication by $T 2$, we can divide by $2: T=T 1$. The sum, CDDOT + CDD.M1. is divided by $T 1$. The last value of CDOT is added to the above result yielding: CDOT $+($ CDDOT + CDDM1) T 2 The actual value of CDOT is saved and stored for posterior presentation. This integration was first designed as a 16 bit computation and then modified to a 32 bit noating point program. The actual and previous value of the acceleration (CDDOT and CDD.M1) are kept as 16 bit variables and the 32 bit value of CDOT is saved in temporary variables to be used in the next step. CDOT is also saved as a 16 bit number to be displayed on the screen.

The conversions from integer to floating point and vice-versa are not detailed in the flowchart but each number that goes to the Arithmetic Processing Unit is converred to a 32 bit floating point number before the operation.

The integration of CDOT just computed gives the actual value of the position, C.M. However, there is a computational problem due to the fact that the integration step is very small. Since the first values of CDOT are also small and the computer is working with integer variables, all values of C.M that are less than one are rounded to zero and not accumulated by the trapezoidal integration:

$$
\mathrm{C} . \mathrm{M}=\mathrm{C} M+(\mathrm{CDOT}+\mathrm{CD.M1}) \mathrm{T}: 2
$$

As can be seen from the above equation, as far as the second term (CDOT + CD.M1)T 2 is zero (or rounded to zero) the value of C.M will stay at zero. The way to bypass this problem was to magnify the value of the variable to be integrated (CDOT) multiplying it by an amplifier factor before the integration. After the integration the output is attenuated by the same factor. As shown in Figure 3.5 the corrector factor (CF) was set up to 100 and the output of the integrating block is C.MCF that stands for C.M times CF. This was the first approach to compute C.M and could be modified to work with 32 bit floating point numbers as in the CDOT computation. However. C.M is being updated every loop and the result of this computation is not taken into account. If this is not the case, the integration instructions can be easily modified by looking at the CDOT computation.


Figure 3.4 The Wain Program Flowchart C.

With this introduction to the integration of the velocity the flowchart presented in Figure 3.9 is easily understood. This flowchart is a continuation of that studied in Figure 3.7 where CDOT was computed and loaded into the HL register. The last value of $\operatorname{CDOT}$ (CDM1) is loaded into the register pair DE and the actual value of CDOT updates CD.M1 for the next loop. CDOT (in HL) and CD.M1 (in DE) are added. The register pair DE is loaded with T1OCF that stands for Tl over CF. This parameter is created by the fact that, as mentioned in the first integration. $\mathrm{T} 1=2 \mathrm{~T}$ and the corrector factor multiplies the input variables. The division rather than multiplication was explained in the last flowchart. The last value of CMCF is loaded into DE and added with $(C D O T+C D M 1)(T, 2) C F$ yielding the new value of C.MCF. C.MCF is saved, DE is loaded with CF and after the division the new value of C.M is obtained. that is $C . M=C . M C F, C F$.

The main program continues in the flowcharts presented in Figures 3.10 and 3.11 The idea behind this section of the program is to get the plant output and, using the Wikstrom aigorithm, update the parameters of the model. Since these two flowcharts are at the end of the main program they also test the variables that control the end of the memory available for data storage and the frequency of storage. The howcharts can be described as follows. C.M, the actual model output just computed, is saved for future calculations and stored for off-line presentation. The subroutine A.ALOG loads the plant output into the register pair HL and the subroutine STORE saves it at the data memory. The subroutine WALG applies the Wikstrom algorithm to update Km and C.M based upon the actual and previous plant outputs.

The variable NS, whose function is to control the frequency of storage, is incremented and checked. In the example presented in the flowchart the desired frequency of storage is 5 . This means that the data are to be storage every five loops. As explained before during the discussion of the MFLAG scheme, if $\mathrm{N}=5$. MFLAG is complemented and becomes zero, enabling the storage process and $\backslash S$ is set to zero to restart the procedure. On the other hand. if NS is not zero MFLAG is set to FFH, disabling the storage process. The data memory is checked. If it is fuh MFLAG is set to 55 H and from this point no more data is stored, since the complement of 551 H is AAH and MFLAG will never be zero again. If the memory is not full, no action is taken. In both cases the program is addressed to the beginning to elose the loop.


Figure 3.5 The Main Program -Flowchart D.


Figure 3.6 Trapezoidal Integration.

## C. SLBROUTINES

The main program "MODEL" was structured to be easily understood and followed. Since it is written in Assembly language some simple operations need lots of instructions. In order to overcome this problem, all repetitive operations were implemented in subroutines.

Each time a subroutine is invoked, 13.5 microseconds are added to the program: $S .5$ due to the instruction "CALL" and 5 microseconds due to the instruction "RET". In the present program there are 38 calls to subroutines yielding a total tine of 513 nucroseconds. This reasonable "delay" is not affecting this experiment but could affect a practical application. However, if necessary, this time can be reduced to zero ber just imbedding all the subroutines into the main program.


Figure 3.7 The Main Program - Flowchart E.


Figure 3.3 Velocity Integration using the Corrector Factor.

## 1. The Subroutine ANALOG

The objective of this subroutine is to sample the plant output. CS, at the end of each loop. This is done through port B of the parallel interface and the analog to digitai converter (ADC). Port B of the interface is at address 02H as determined at the beginning of the main program.

Some of the instructions presented in this subroutine need a little knowledge of the hardware to be completely understood. However, the main idea can be absorbed from the flowchart presented in Figure 3.12 The blocks are now described in the sequence they appear in the flowchart. The ADC is enabled and starts converting the actual analog output to a corresponding eight bit number. The DATA READY pin of the ADC is polled and if data is available (conversion is completed). it is transferted to the $A$ register. Otherwise the status is checked again. The inconing data is converted in a two's complement number by adding 8011. This is explained in detail in Chapter IV.

After conversion in a two's complement number the data sign is checked. If it is negative a conversion to positive is executed. The reason to justify this procedure is quite simple. In this research the movement of the robot arm is restricted to just one direction and negative numbers are not expected. However, at the beginning of the


Figure 3.9 The Main Program - Flowchart F.
movement, when CS is still a very small number the noise can drive the output to a negative value and this would introduce an error in the system, since the program is not prepared to deal with negative numbers coming from the analog plant. Since the data is equal to or less than 127 and a positive number, it is loaded into register $L$ and register H is set to zero. The ADC is disabled to allow the repetition of the process. This step will be detailed in Chapter IV.

## 2. The Subroutines of Basic Operations

The subroutines that perform addition, subtraction, multiplication and division will be called basic operations subroutines. They all use the Arithmetic Processing Unit (APL) Intel S231 to perform the operations. The procedure is the same for these subroutines as shown in Figure 3.13. The operands are sent to the APU by subroutine OUTOP. Then the appropriate command (each operation has its particular code) tells the APC what operation is to be performed with those operands. Finally, the subroutine INOP (input operand) retrieves the result from the APL. In all talks between APL and microprocessor the operands and commands must pass through register A of the CPU. The APU operands and commands are addressed to outputs $08 H$ and $09 H$, respectively. An important point to be noticed in the program is that the operands must be loaded in register pairs $H L$ and DE before calling a basic operation subroutine. In order to get correct results in the subtraction and division subroutines we have to keep in mind that the registers will be manipulated in the following way:
Subtraction is given by $\mathrm{HL} \leftarrow \mathrm{HL}-\mathrm{DE}$
Division is given by $\mathrm{HL} \leftarrow \mathrm{HL}, \mathrm{DE}$
3. The Subroutines OUTOP and INOP

As mentioned above the subroutines OUTOP and INOP communicate with the arithmetic processing unit in order to send operands before an operation and retrieve the result after the operation. The flowchart of the subroutine OLTOP is shown in Figure 3.14. The contents of the registers HL and DE are sent to the APL in this order. Also notice that the low byytes are sent first in both cases. The subroutine INOP is presented in Figure 3.15 The result obtained in the APL after an operation is transfered to register $A$ and then to registers $I I$ and $L$. in this order, one byte at a time. Notice that the high order byte of the sixteen bit result is the first to be retrieved.

## 4. The Subroutine CURVE

This subroutine uses the APC to compute XDOT from the position error and the constant $\operatorname{SQRT}\left(2 . V_{\text {sat }} . \mathrm{Km}\right)$. The computation is all done inside the processing unit to avoid the error caused by converting the square root to an integer. Every variable or constant that is sent to the APL is converted to a 32 bit floating point number. After the computation XDOT is converted back to integer (refer to Figure 3.16 ).

## 5. The Subroutine WALG

This subroutine implements the autoadaptive algorithm described in [Ref. 1]. In that algorithm, the position, relocity and gain of the model are updated. However. the velocity CDOT is not being updated in this subroutine. for the following reason: the program was written for 16 bits but the interfaces were built to work with just eight bits, in order to simplify the plant. So. the biggest positive number the plant can deal with is 127 and the smallest is 1 .

As a consequence of the above restrictions, the differences between an actual value of the plant output (CS) and its last value can not be always detected due to the round off problem. Since the computation of CDOT is based upon this difference, the result would be wrong most of the time. For instance, let's consider that the exact value of CS is 54.92 and the last value of the plant output (CSM1) was 54.17 . Assuming that the velocity is computed using the simple formula CSDOT $=\langle C S$ CS.M1) T and working with integers the result will be CSDOT $=0$, since CS and CS.M1 were both rounded to 54 .

The flowchart of this subroutine is presented in Figure 3.17 and will be described in the following paragraphs. All the operations are done using the Arithmetic Processing L'nit and integer numbers ( 16 bits).

The variable KMFLAG is set to zero at the beginning of the main program and when the full acceleration phase ends, that is CDOT is greater than XDOT for the first time, it is set to 1 . In the subroutine, the flag is checked and if it is one. K.W is not computed anymore, remaining with its last value.

In the full acceleration phase K.M is computed and updated each time the subroutine is called. The formula used to compute $\mathrm{K} . \mathrm{M}$ is the following:

$$
K M=2 C S V \operatorname{sat}(X T)^{2}
$$

The values of Vsat and $T$ are known and ropresenting the constants by the parameter KWC we have:

$$
\mathrm{K.MC}=210 \mathrm{~V} \text { sat }(T)^{2}=16529 \text { for } T=1.1 \mathrm{~ms} \text { and Vsat }=10 .
$$

The extra constant in the denominator（10）was introduced because the numbers cannot be greater than $\mathbf{3 2 7 6 7}$ ．So，after the division by $\times$（represented by $\cdots \times$ in the program）and the multiplication by CS．K．MC must be multiplied by 10 ．This is shown in the eight blocks that follow the K．MFL．AG block ending with K．M being updated． The reason K．MC is not divided by $\therefore \lambda^{-2}$ first（saving instructions）and then multiplicd by CS and 10 is that when $N$ becomes a big number and KMCN $入^{2}$ becomes less than one it is rounded to zero．So，after the lirst division（K．MC ハ人），there is a multiplication by CS to raise the result before dividing by N．．．again．

## 6．The Subroutine STORE

This subroutine transfers the data from register pair HL to the data memory． The purpose of this storage is to make those data available for an off－line presentation on the screen．As mentioned in the previous subroutines all operations send the result to the register pair HL．So，this routine is always called after some important operation．The flowchart is presented in Figure 3.18 and can be described as follows： The flag is checked and if it is zero the data is loaded into the memory and the pointer is incremented．Otherwise，no action is taken．

## 7．The Subroutine DISPLAY

The main purpose of this subroutine is the off－line presentation of the data stored by subroutine STORE on the screen off－line．That is，after the complete displacement of the robot arm，the program can be reset and the intermediate steps can be analyzed by calling the subroutine DISPLAY．The operation procedure is discussed in Appendix C．The variables that are set up to be stored by the actual program are： E ， XDOT，XDOTE，CDDOT，CDOT，C．M，CS and N（（the number of loops）．They are stored from address 1600 H to 23 FFH ，with a total of $358+$ bytes．Since each variable has 16 bits and eight variables are stored each loop，the memory is able to store $22-$ loops of the main program．If the data are stored in consecutive loops．only the first 246 nilliseconds of data will be stored．If all the loops are not stored this time can be increased．For instance，if the data are stored every fifth loop the program will be documented for 1.23 sec ．The number of loops to be stored can be changed if the program is transferred to the RA．M（refer to Appendix C）．

Another important feature of this subroutine is the conversion from hexadecimal to decimal before displaying the numbers on the screen．This would be impossible to implement on line due to the amount of time required to implement this complex operation．The data is displayed in eight columns，ten rows at a time，and they
can be scrolled up by pressing the space bar or any other key. The number of rows to be presented at a time can be changed if the program is transfered to the RA.M.

The flowchart of the DISPLAY routine is presented in Figures 3.19a through 3.19 e . The blocks can be described as follows. the memory pointer index IY is loaded with the first data address. 1601 H . $N$ is loaded with the number of rows (or loops) to be displayed (224) and $\lambda=0$ indicates the end of memory. $\lambda S$ controls the number of rows to be displayed at a time. After the initialization process the loop is started by loading the firsi data (the position error of the first loop) into the register pair HL. The data is checked. If it is positive a space is displayed on the screen and if it is negative a minus sign is displayed. The data is saved in a variable called NL.MBER and the register pair DE is loaded with the decimal 10. The data (in HL) is divided by 10 (in DE) and the quotient (in HL) is saved in the variable QLOT.

The quoticnt (in HL) is multiplied by 10 (in DE). The result is transferred to DE and the data that was saved in NU.MBER is loaded into HL. So, recalling that the subtraction does:

$$
\mathrm{HL}=\mathrm{HL} \text { (previous) }-\mathrm{DE}
$$

and after this operation HL will be equal to the least significant bit of the decimal data. This value is saved in the variable ONES. Thus,

$$
\text { O. } \backslash E S=\text { dividend }(\text { data })-10 \text { QUOT }
$$

The LONGDIV subroutine presented in Figure 3.20 uses the same procedure mentioned above with the actual quotient being the dividend of the next division. The new reninder will be the second decimal digit (saved in the variable TEXS). The process is repeated to get the next digits, saved in HLXDREDS, THOLS and TTHOLS. The biggest possible decimal number is 32767.

The decimal digits are converted to ASCII and displayed on the screen using the monitor subroutine ASCO.VV (refer to Appendix C). After the presentation of the least significant digit, register $B$ is loaded with the number two and the monitor subroutine SPACES is called to display two spaces between the number just shown and the next.

Every time a conversion is completed the pointer is checked to verify if the row ended. At the end of the first row. for instance, the pointer (IY) will be 1610 H . that is, the rightmost four digits are zero. The same happens every time a row is completed since eight two byte variables make a complete row. Thus, if this situation is detected, meaning that a row is completed, the monitor subroutine SCRLF is called to
provide carriage return and line feed. Otherwise, a new data is converted. The loop continues until the end of the row.

Whenever a row is completed the end of memory must be checked. As mentioned earlier the number of rows teft is controlled by the variable $\$. So. each time a row is completed. $\boldsymbol{\lambda}$ is decremented and checked. If it is zero the program is ended. otherwise it continues.

The program is set up to present 10 rows at a time. The variable $\overline{\mathrm{S}}$ counts the number of rows and while $\backslash \mathrm{S}$ is different of 10 the loop continues. When ㅅS reaches 10 the program polls the keyboard input. While there is no input the program keeps polling the keyboard. When any key is typed, \S is set to zero and the loop continues.

## 8. The Subroutine TRANSFER

This subroutine is used to transfer the program MODEL from the EPROM to the RAM in order to debug the program. The starting address in the RAM is 1000 H . The procedure to use this feature will be discussed in Appendix C. The subroutine is very simple and can be understood from the program.


Figure 3.10 The Main Progran - Flowchart G.


Figure 3.11 The Main Program - Flowchart H.


Figure 3.12 The subroutine Analog.


Figure 3.13 The Subroutine of Basic Operations.


Figure 3.14 The Subroutine Outop.


Figure 3.15 The Subroutine Inop.


Figure 3.16 The Subroutine Curve.


Figure 3.17 The Subroutine Walg.


Figure 3.18 The Subroutine Store.


Figure 3.19a The Subroutine Display.


Figure $3.19 b$ The Subroutine Display.


Figure 3.19c The subroutine Display.


Figure 3.19d The subroutine Display.


Figure 3.19e The subroutine Display.


Figure 3.20 The Subroutine LO.VGDIV.

## IV. HARDWARE

## A. GENERAL

The hardware consists basically of two major parts, the microprocessor and the analog plant. Interconnecting them we have the digital to analog and analog to digital interfaces. A video eerminal is coupled to the microprocessor and all inputs and outputs are accessed by using this facility. An oscilloscope connected to the output of the plant measures the analog output. This voltage is also available in a digital form using (off-line) the routine Display. The whole hardware is mounted in three protoboards, one for the microprocessor, one for the analog plant and a third one for the extra memories used to store data.

## B. THE MICROPROCESSOR

The microprocessor is a general term used to refer to the digital system that implements the model, controller and the identification algorithm. The circuit that shows all the digital system and interfaces is presented in Figure 4.1.

The central processing unit is the Z-80, the memories are two EPROMS (2716) and five RAM's (MK 4118). The memory and interface decoders are three 74LS138. The parallel interface is the M8255 and the serial interface is the MC68661. Besides the mentioned chips that are normally found in microprocessors there is the Arithmetic Processing Unit (APL), Intel $\$ 231$, that performs all the mathematical operations needed in the digital system.

The organization of the memories is shown in Table 1 . The monitor and model (including the controller and algorithm) are loaded into the EPROM's. The RA.M addresses from 1000 H to 13 A 0 H are used for scratch. This is an important point in the development of the system because it allow's the whole program "Model" to be transfered from a non-crasable memory to an erasable one. Once the program is transfered it can be modified and run in the RA.M using the monitor features for debugging purposes. This procedure will be detailed in Appendix $C$.

The RAM addresses from 13 A 0 H to 1600 H are used to store the data sesment. that is, all variables defined in the monitor and program Model. Also. every byte originated by typing a key in the keyboard goes to a particular stack in this momory area. The microprocessor stack pointer is initialized at 1600 H .


Figure 4.1 The Microprocessor and Interfaces.

TABLE 1
ME.MORY ORGANIZATION

| $\#$ | START | END | TYPE | EUNCTION |
| :--- | :--- | :--- | :--- | :--- |
| M1 | 0000 | OTFE | EPROM 2716 | monitor + model |
| M2 | 0800 | OEEE | EPROM 2716 | model (cont.) |
| M3 | 1000 | 13FE | RAM MK4118 | scratch/data seg |
| M4 | 1400 | 17FE | RAM MK4118 | data seg/storage |
| M5 | 1800 | 1EEF | RAM MK4118 | data storage |
| M6 | $1 C 00$ | 1FEF | RAM MK4118 | data storage |
| M7 | 2000 | 23EE | RAM MK4118 | data storage |

The memory from 1600 H to 23 FFH is the so called "data memory". It stores the intermediate results of program Model for future presentation on the screen. After a run the subroutine Display can be invoked to show these data. The RA.M memories M4, M5, M6 and M7 (refer to Figure 4.1), used for data storage. were created to allow the off-line display of the mentioned data. When the digital servo was first tested (without the analog plant) it used on-line routines to show the results on the screen. However, each time the routine was called to present one variable it spent more than 400 microseconds. This would consist in a major problem for incorporating the analog plant. So, the extra memories were added to the system in order to provide room for the massive data record generated by the subroutine Store.

As shown in the circuit, the decoder D1 addresses the EPROW's M1 and M2 and the RA.M M7. The decoder D2 addresses the serial and parallel interfaces and the APL. Decoder D3 addresses the data memories M3, M4, M5 and M6.

Decoder D2 is selected by addresses A2. A3 and At and its outputs Y 0 (pin 15). $Y 1$ (pin 14) and $Y 2$ (pin 13) are the chip select conmands for the $\$ 255$ (parallel port). 68661 (serial port) and APC, respectively. So, depending on the addresses A1 and A0. the parallel interface will be at addresses $00,01,02$ and 03 and the serial interface will be at addresses $04,05,06$ and 07 . The APU will be at addresses 08, 09, 0A and $0 B$.

## C. THE ARITHMETIC PROCESSING UNIT

This integrated circuit deserves a special attention in this research. First of all, it played a very important role on the software development in taking over all of the
mathematical operations. Secondly, it is a preliminary chip and its application consists in a parallel research.

The Arithmetic Processing Unit (APL') 8231, as referred in [Ref. 5] has the following features:

1. Fixed point, single and double precision ( 16,32 bits).
2. Floating point single precision ( 32 bits).
3. Binary data formats.
4. Add. subtract, multiply and divide.
5. Trigonometric and inverse trigonometric functions.
6. Square roots, logarithms, exponentiation.
7. Float to fix and fix to float conversions.
S. Stack oriented operand storage.
8. Direct memory access or programmed I O data transfer.
9. General purpose 8 bits data bus interface.

In the 16 bit program this chip is used to perform the following operations: addition. subtraction, multiplication. division, square root. fix to floating point conversion and vice versa. In general the operations were done with fixed point operands to keep the program working with 16 bit variables. However, some operations where the APU stack could be used as a temporary register, were done in 32 bit floating point. This happened in the subroutine CLRVE and in the trapezoidal integration in the main program. The advantage of this method is that the accuracy of the computations is increased without defining 32 bit variables.

The 16 bit format is straight forward. It works with binary operands represented in two's complement values. The sign of the operand is located in the most significant bit (at the leftmost position). Positive values are represented by zero and negative values are represented by one. This format can represent numbers in the range from -32768 to 32767.

The 32 bit floating point format permits us to represent positive and negative numbers from $2.7 \times 10^{-20}$ to $9.2 \times 10^{18}$ and zero. As depicted in Figure 4.2. the 32 bit numbers consist of four parts: mantissa, exponent, exponent signal and mantissa signal. The nantissa uses the 27 rightmost bits $(0-23)$, the exponent uses the next six bits (24-29), the exponent sign uses the next bit (bit 30) and the mantissa sign is represented at the leftmost bit (bit 31).


Figure 4.232 Bit Floating Point Register.
A requirement of this processor is that the data, when using 32 bit floating point format, be represented by a fractional mantissa value between 0.5 and 1.0 multiplied by two raised to an appropriate power, that is, value $=$ mantissa $\times 2^{\text {exponent }}$.

Illustrating the explanation above with an example, let's take the number 624 and convert it to 32 bit floating point:

$$
\begin{aligned}
& 624=512+64+32+16=2^{9}+2^{6}+2^{5}+2^{4}= \\
& =0.1 \times 2^{10}+0.0001 \times 2^{10}+0.00001 \times 2^{10}+0.000001 \times 2^{10}= \\
& =2^{10} \times(0.100111)
\end{aligned}
$$

The binary representation of the above example is shown in Figure 4.3. The hexadecimal representation of this four byte number is 0 A 9 C 0000 H . This is the code to be sent to the APC in order to create the floating point equivalent to the decimal 624.

The APL uses a stack to store the operands and results. It is an eight level 16 bit wide data stack. as shown in Figure 4.4. The same stack is used to deal with 32 bits but, in this case, the configuration changes to a four level stack. The upper level is called TOS (top of stack) and the level below the TOS is called. $\operatorname{CoS}$ (next on stack).

Data are written onto the stack. eight bits at a time in the order $\mathrm{A} 1, \mathrm{~A} 2, \mathrm{~A} 3$, etc. and are removed in the reverse order. For instance, suppose the operation $B-A=C$, where $B=B 2 B 1 . A=A 2 A 1$ and $C=C 2 C 1$. In a subtraction the operand in the TOS is subtracted from the operand in the $\mathcal{N O S}$ and the result is stored onto the TOS. Thus, the bytes must be sent in the following order: B1, B2, A1. A2. The result is

Figure 4.3 Example of a 32 Bit Floating Point Number.


Figure t. 4 Stack Configuration for APL S231.
retrieved in the order $\mathrm{C} 2, \mathrm{C} 1$. Considering the way the software was designed, the operand $B$ would be onto the register pair HL and the operand $A$ onto the register pair

DE. The result would be in HL. So, the data from the registers would be sent to the APL in the following order: L. H. E. D and the result would be received in the order H, L.

The data entry and data removal process is iftustrated in Table 2. Data entry is accomplished by bringing the chip select (CS), the command data line (AO) and the write line (VR) low. A new entry occupies the TOS, pushing the previous TOS to NOS. Data removal is performed by setting CS. A0 and RD low. The data in TOS is removed and the data in NOS is moved to TOS.

TABLE 2
DATA ENTRY AND DATA REMOVAL PROCESS

| $W R$ | RD | CS | AO | OPERATION | INSTRUCTION |  |
| :---: | :---: | :---: | :---: | :--- | :--- | :--- |
| 1 | 0 | 0 | 0 | Read | IN A, (O8H) |  |
| 0 | $I$ | 0 | 0 | Write | OUT (O8H), A |  |
| 0 | $I$ | 0 | $I$ | Command | OUT (O9H), A |  |
| 1 | 0 | 0 | $I$ | Read Status | IN A, (O9H) |  |

After the data have been entered the required operation can be performed by issuing a conmand. The command operation is accomplished by bringing the chip select line low, conmand data line high and write line low.

It can be seen in Figure 4.1 that the READY line of the APU (pin 17) is connected to the WAIT line of the CPU ( $Z-S 0)$. The READY line is normally high and is pulled low by the APC when certain conditions occur. Basically, the READY line goes low when the APU is busy and either data or command operation is requested. If this happens, the WAIT tine of the CPL goes low and it waits. When the operation is completed the READY line goes high and the result is available at the TOS. Then the CPU can retrieve the data from the APU. The process of removing data is illustrated in the first row of Table 2 .

The software for the the APL is quite simple and can be easily understood from the program. However, in order to figure out how the operations work and to have a complete knowledge of the chip. some small routines were written to test individual operations. These routines were written in machine language using the features available in the monitor.

As pointed out earlier in this Chapter, the memory addresses from 13 A 0 H to 1600 H are used for the data segment, that is, to store the variables used in the program. But this section of memory is not completely filled and there is some space available. The test program can start at address 15 A 0 H , for instance. The sequence to write the program is the following:

1. Turn on the system (video terninals and power supplies).
2. Reset the system by pressing the reset switch.
3. In the keyboard, type: C15A0.xxxx <ret>. This will be the segment of memory to be used (xxxx is the end address of the smatl program).
4. Type in the machine language program. entering one byte at a time. that is. type two hexadecimal numbers and hit the return key.
The procedure to run the routines and get the results is as follows:
5. Type G15A0 wyy <ret>, where yyy is the end address plus one of the routine, that is, yyy is equal to $x x x+1$.
6. When the execution is completed the registers will be automatically displaved on the screen and the result of the operation under test will be shown in the register HL.

## 1. Subtraction Routine

The APL performs NOS - TOS and stores the result onto the TOS. The result is removed from the TOS and stored into the register pair IIL, where it can be checked after the execution of the routine. In the example shown in Table 3 the operands are 0002 (TOS) and $0007(. . \mathrm{OS})$. So, the expected result is 0005 . Other examples can be done by just changing the operands. In this particular example the last address is 15 B 9 H and the execution command should be: G15A0.15BA < ret> . With this command the program will run and the CPL registers will be displayed on the screen.

## 2. Multiply Routine

The APL performs $\operatorname{NiOS} \times$ TOS and stores the result onto the TOS. The result is removed from TOS and stored in HL where it can be checked after the execution. The routine is presented in Table + using the operands: FFFAH $=-6$ and $0001 \mathrm{H}=1$. Thus, the expected result is FFFAH $=-6$. Other operands were used to check the routine: FFFAH $=-6$ as first and second operand with result 002 $-4 \mathrm{H}=$ 36 and FFFAH $=-6$ and $0002 \mathrm{H}=2$ with result FFF4H $=-12$.
3. Square Root Routine

This routine is performed using 32 bit (floating point) format. Therefore, the 16 bit integer operands must be converted to floating point and the result. converted

TABLE 3
SLBTRACTION ROUTINE FOR TESTIXG THE APU

| Assembly Language |  | Address | Machine Language | Comments |
| :---: | :---: | :---: | :---: | :---: |
| LD | A, 07H | 15AO | 3 E07 | APU <-- first operand |
| OUT | (08H), A | 15A2 | D308 |  |
| ID | A, OOH | 15A.4 | 3 EOO |  |
| OUT | (08F), A | 15 A 6 | D308 |  |
| ID | A, 02H | 15A8 | 3Е02 | APU <-- second operand |
| OUT | (08H), A | 15AA | D308 |  |
| LD | $\mathrm{A}, \mathrm{OOH}$ | 15AC | 3E00 |  |
| OUT | (OSH), A | 15AE | D308 |  |
| LD | A, 6DH | 15BO | 3E6D | APU <-- subtraction |
| OUT | (09H), A | 15B2 | D309 |  |
| IN | A, (08H) | 15B4 | DB08 | HL <-- result |
| LD | H, A | 1586 | 67 |  |
| IN | A, (08H) | 15B7 | DB08 |  |
| LD | L, A | 15B9 | 6 F |  |

back to integer. In the example shown in Table 5 the operand is $0270 \mathrm{H}=624$ and the expected result is $18 H=24$, that is, the square root is rounded off to the next less integer. As in the previous routines the result can be checked at the HL register after execution. Since the start address is 15 A 0 H and the end address is 15 B 9 H , the execution command will be : G15A0.15BA < ret> .

## D. THE INTERFACES

The serial and parallel interfaces, MC68661 and MS255, respectively. are largely used with eight bit microprocessors and will have just a short explanation. The serial interface interchanges information with the video terminal. So, all the commands coming from the terminal keyboard and all information going to the screen are formatted by this chip. The parallel interface connects the microprocessor with the analog plant. So, the plant input (V) and the plant output (CS) pass through this interface, in digital format. As shown in Figure 4.1 the three ports available in the 8255 are used in the following way:

TABLE 4
MULTIPLICATION ROUTINE FOR TESTIXG THE APL

| Assembly <br> Language |  | Address | Machine Language | Comments |
| :---: | :---: | :---: | :---: | :---: |
| LD | A, EAH | 15AO | 3EEA | APU<--first operand |
| OUT | (08H), A | 15A2 | D308 |  |
| ED | A, EEE | 15A4 | 3EEE |  |
| OUT | (08H), A | 152.5 | D308 |  |
| ID | A, 01F | 15A8 | $3 \mathrm{EO1}$ | $A \supseteq U<--$ second operand |
| OUT | (08:1), A | 15AA | D308 |  |
| LD | A, OOH | 15AC | 3 EOO |  |
| OUT | (08F) , A | 15AE | D308 |  |
| ID | A, 6EH | 15B0 | 3E6E | APU<--mult. command |
| OUT | (09H), A | 15B2 | D309 |  |
| IN | A., (08H) | 1534 | DE08 | HL<--result from APU |
| LD | F, A | $15 B 5$ | 57 |  |
| IN | A, (08H) | 15B7 | DB08 |  |
| LD | L, A | 15B9 | 6 E |  |

1. Port A provides the digital output (V) to the digital to analog converter (D.AC 0500)
2. Port $B$ receives digital input (CS) from the analog to digital converter (AD570)
3. Port $C$ is used to control the $A D$ converter

The digital to analog converter (refer to Figure 4.5) is always converting the digital input to a continuous voltage output between pins 2 and 4 . The reference voltages, applied at pins 14 and 15 are +5 V and -5 V , respectively. The resistors connected to these terminals are called reference resistors.

The full scale output current $\left(\mathrm{I}_{\mathrm{fS}}\right)$, represented by the sum of the currents at pins 2 and 4 . is related to the reference voltages and resistors in the following way:

$$
\begin{aligned}
& I_{\mathrm{fs}}=\left(+\mathrm{V}_{\mathrm{ref}} \mathrm{R}_{\mathrm{ref}}\right) \times(255256) \\
& \mathrm{I}_{\mathrm{fs}}=\mathrm{I}_{0}+\bar{I}_{0} \\
& \mathrm{~V}_{\mathrm{ref}}=+5-(-5)=10 \mathrm{~V} \rightarrow \mathrm{I}_{\mathrm{fs}} \sim 2 \mathrm{~mA}
\end{aligned}
$$

## TABLE 5

SQUARE ROOT ROLTINE FOR TESTIXG THE APU

| Assembly Language |  | Address | Machine Language | Comments |
| :---: | :---: | :---: | :---: | :---: |
| LD | A, 70 H | 15AO | 3E70 | APU <-- operand |
| OUT | (08H), A | 15 A 2 | D308 |  |
| LD | $\mathrm{A}, 02 \mathrm{H}$ | 15A4 | 3 EO 2 |  |
| OUT | (08H), A | 15 A6 | D308 |  |
| LD | A, 1DI | 15 A. 8 | 3E1D | int./float command |
| OUT | (O9H), A | 15AA | D309 |  |
| ID | A, 01H | 15AC | 3 E01 | sq. root command |
| OUT | (09H), A | 15AE | D309 |  |
| LD | A, 1EH | 15 BO | 3E | float/int. command |
| OUT | (O9H), A | 15B2 | D309 |  |
| IN | A, (08H) | 15B4 | DB08 | HL <-- result |
| LD | H, A | 15E6 | 67 |  |
| IN | A, (08H) | 1537 | DB08 |  |
| ED | L, A | 15B9 | 6 F |  |

In full scale, that is, with all digital inputs equal to 1 , the current $I_{0}$ is 2 nLA and the current $\bar{I}_{0}$ is 0 . So, to get +5 V at the operational amplifier output, R 2 must be 2.5 $K \Omega$. In zero scale, that is, with all TTL inputs equal to $0 . I_{0}=0$ and $I_{0}=2 \mathrm{~mA}$. Thus, to obtain -5 V at the output R1 must also be $2.5 \mathrm{~K} \Omega$. In the actual design. the plant is being driven by an input of $\pm 10$ Volts and the resistors are both $5 \mathrm{~K} \Omega$.

In the ADC , located at the plant output. the input can vary from -5 V to +5 V, providing digital outputs from 00 H to FFH . respectivelv. This is not compatible with the two's complement format of the microprocessor, where 00 HI corresponds to 0 and FFH corresponds to - 1 . In order to correct this discrepancy, every time a number comes from the ADC, the program adds Soll. The effect of this correction is illustrated in Table 6. Looking at the Table one can see that a difference of 1 inside the microprocessor corresponds to a difference of 0.039 volts in the analog plant ( 5 Volts $2^{7}$ ) because we are dealing with eight bit numbers. There is a difference of $80 H$ between the second and third columns, that is, between the binary numbers at the


Figure 4.5 Digital to Anaiog Converter.
interfaces and the two's complement numbers inside the microprocessor. This is the reason why the software adds 80 H when a number is received from the ADC (refer to subroutine Analog in Chapter III).

In the case of the "bang-bang" input of the plant ( $=10$ Volts) the software sends 00 H or FFHI directly to the DAC and there is no problem with conversions.

The analog to digital converter, AD570, receives the analog output of the plant (CS) and convert it to an eight bit number. As shown in Figure 4.1 the output of the $A D C$ is connected with port $B$ (pins 18 through 25) of the paralle! interface $\operatorname{MS} 255$. Port C of S 255 (pins 10 and 17 ) is used to control the sampling process. When the BLANK and COXVERT input ( $\operatorname{pin} 17$ ) of the ADC goes low the conversion is started. Upon completion of the conversion the DATA READY terminal (pin 11 ) goes low and the data is available at the output. The BLANK and CONTERT input must become high aģain to prepare the device for the next conversion. Thus, the software has to control these two lines to get the data at the appropriate time.

Table 6 can be used to relate the data inside of the micro and at the $A D C$ output. The two converters must be adjusted to have the same correspondence between

TABLE 6
入じMBERS INSIDE AND OUTSIDE THE MICROPROCESSOR

| Analog | ADC | Inside Micro（2＇s compl．） |  |  |
| :---: | :---: | :---: | :---: | :---: |
| （volts） | Binary | Binary | Hex | Decimal |
| +4.96 | 11111111 | 01111111 | $7 E$ | +127 |
| +0.39 | 10001010 | 00001010 | $0 A$ | +10 |
| -0.039 | 10000001 | 00000001 | 01 | +1 |
| 0 | 10000000 | 00000000 | 00 | 0 |
| -0.039 | 01111111 | 11111111 | FE | -1 |
| -4.61 | 00001010 | 10001010 | $8 A$ | -118 |
| -5 | 00000000 | 10000000 | 80 | -128 |

the numbers since the whole system must be compatible．In order to guarantee that $D A C$ and $A D C$ are tuned，some simple tests were done．One test consists in applying a $D C$ voltage at the $A D C$ input and send this voltage to the $D A C$ output using a small program．This program is written in machine language and can be loaded into the RA．M，using the monitor．An example is presented in Table 7．The voltage measured at the analog output（V）nust be the same as that applied at the analog input（CS），if the resistors in the operational amplifier are equal to $2.5 \mathrm{~K} \Omega$ ．This voltage can be varied and observed at the plant input（V）．

The small program is executed with the command G15B0．FFFF＜ret＞．This command guarantees that the last address is included and the progran will be in loop． The second address in the conmand could be anyone greater than 15C9．Some lines of this routine need more explanation：

1．Lines 1 and 2 set up the $\$ 255$ to transmit data through ports $A$ and $C$ and receive data in port $B$ ．In other words，ports $A$ and $C$ are outputs and port $B$ is input．

2．In lines 3 and 4 a zero is sent to port $C$（PC7 or pin 17）．in order to drive the BLANK COAVERT control of the ADC to low，enabling the conversion．
3．In line 5 the DATA READY pin is checked to verify if the data is already converted．If it is not．the polling process continues in the loop described in lines 5,6 and 7 ．

4．In line $S$ the data is retrieved from port $B$ and in line 9 they are sent to port $A$ ． where the D．AC is connected．

5．In line 11，port $C$ receives 50 H ．That means，pin PC7 receives 0 ，disabling the conversion and preparing the $A D C$ for the next one．

## TABLE 7

COMPATIBILITY TEST BETWEEN ADC AND DAC

| \# |  | Assembly Language |  | Comments | Address | Mach. Lang. |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 |  | LD | A, 83 | control word | 15B0 | 3E83 |
| 2 |  | OUT | (03H), A | 8255<--c. word | 15B2 | D303 |
| 3 | IOOP: | LD | A, OOH | A<-- OOH | 15B4 | 3 E 00 |
| 4 |  | OUT | (O2F), A | start conversion | 15B6 | D302 |
| 5 | WAIT: | IN | A, (02F) | A $<--D A T A ~ R E A D Y ~$ | 1538 | DSO2 |
| 6 |  | CP | 0 | IS DATA READY? | 15BA | EEOO |
| 7 |  | JP | NZ,WAIT | if not, try again | 15 BC | C23815 |
| 8 |  | IN | A, (01H) | A<-- data | 15BE | DBOI |
| 9 |  | OUT | ( OOH), A | DAC<-- data | 15 Cl | D300 |
| 10 |  | LD | A, 80H | A<-- 80H | 15 C 3 | 3E80 |
| 11 |  | OUT | ( O 2 H ), A | disable ADC | 15 C 5 | D302 |
| 12 |  | JP | LOO? | repeat process | 15 C 7 | C3B415 |

## E. THE PLANT

The plant is represented by an analog simulator as depicted in Figure 4.7. The input of the plant is a "bang bang" control voltage. The output is a voltage that represents the robot arm position. CS. The input $V$ comes from the DAC as discussed in the last section and can be $+V_{\text {sat }}$ or $-V_{\text {sat }}( \pm 10$ Volts in our case $)$.

The design of the analog plant is straight forward and the method is found in most of the classical control books. The approach chosen is based in [Ref. 3]. As shown in Figure 4.6 the plant transfer function can separated in two blocks.

Mathematically we have:

$$
\frac{X(s)}{U(s)}=\frac{1}{s+20.55} \rightarrow X(s)(s+20.55)=U(s)
$$

$$
\mathrm{sX}(\mathrm{~s})+20.55 \mathrm{X}(\mathrm{~s})=\mathrm{L}(\mathrm{~s}) \rightarrow \dot{\mathrm{X}}+20.55 \mathrm{x}=\mathrm{u}
$$

$$
\text { Then. } \dot{x}=u-20.55 x \text { and } y=273.3 j x d x
$$



Figure 4.6 Plant Transfer Function.
The above equations provide all the information needed to implement the hardware. If $\dot{x}$ is assumed to be available (refer to Figure 4.7), the next step is to design an integrator to obtain $x$. Using a capacitor of $1 \mu \mathrm{~F}$ and a resistor of $1 \mathrm{M} \Omega$ the output of the integrator will be -x . The $10 \mathrm{~K} \Omega$ potenciometers that appear in all operational amplifiers are used for off-set adjustments.

Since $-\dot{x}$ and $V$ are available, a summer with a gain of 20.55 for $-x$ and 1 for $V$ yields $-\dot{x}$ at the output. An inverter changes the sign of $-\dot{x}$ and the result is the $\dot{x}$ needed for the feedback to the starting point. The output $y$ or $C S$ is obtained from $-x$ by integrating this variable with gain 273.3 .

The design of the plant was quite simple, but the implementation needed special attention. If the components are just put together without any care the result is catastrophic. Oscillations and drifts are the common problems. In the particular case of the integrators the critical points are the capacitor leakage and the input offset error. The integral of the DC offset boltage appears at the output like a ramp voltage, as explained in [Ref. 6]. The power supply can be a source of noise and each pin that is connected to a positive or negative voltage must have a capacitor to the ground. The


Figure 4.7 Analog Plant.
material the capacitors are made of is a very important topic as pointed out by Roberge in [Ref. 4]. According to the specific application the capacitors nust be:

1. Teflon or polystirene for the feedback capacitors (integrators)
2. Solid tantalum electrolytic (greater than $1 \mu \mathrm{~F}$ ) for the positive and negative terninals of the power supply
3. Mica or glass ( 0.01 or $0.1 \mu \mathrm{~F}$ ) for the power connections of each individual chip.

The offset adjustments were done by connecting the inputs of the particular chip to the ground and adjusting the $10 \mathrm{~K} \Omega$ potentiometer to obtain zero volts at the output. The inputs were grounded before the input resistors to guarantee that the drift voltage produced at the input due to these resistors were cancelled by the appropriate adjustment. In the case of the integrators, the capacitors must be discharged before the adjust. The switches in parallel with these capacitors (shown in Figure 4.7) are used for this purpose. They are also used to reset the integrators just before running the system. In this case, an analog switch. automatically commanded by the software should be desired and was designed. The recommended switch is the LF 11332. The supply could not provide this component.

The plant was submitted to some tests to make sure the transfer function is being implemented. One of the tests consists in building a double integrator with an overall gain of 100 . This particular implementation tests the integrator blocks in terms of drifting, oscillations and the integral operation itself. Each integrator has a gain of 10 as shown in Figure 4.8.

The first integrator is driven by the square wave $v(t)$ with a frequency of 100 Hz . The integration of the square wave results in an inverse triangular wave due to the minus sign of the integrator. Computing the output value of the first integrator at time $\mathrm{t}=5 \mathrm{msec}$ :

$$
\begin{aligned}
& x(t)=-\frac{1}{R C} \int_{0}^{T} d t=-10 \int_{0}^{5.005} d t=-0.25 \\
& x(t)=-a t . \text { where } a=50 \mathrm{~V} \text { sec or } 0.05 \mathrm{~V} \text { nisec } \\
& y(t)=-\frac{1}{R C} \int_{0}^{T}-a t d t=10 \frac{a T^{2}}{2}=0.625 \mathrm{mV}
\end{aligned}
$$






Figure t.s Double Integrator.

Once the double integrator is working well, a good test can be done to compare the performance of the digital model and the analog double integrator, since the model is also a double integrator with a gain ( Km ). So, if the gain Km is set to 100 , both double integrators are supposed to have the same behavior. This is a very interesting test because the whole digital servo and interfaces are also checked. The test was carried out and the results displayed on the screen. In despite of the manual reset of the integrators the test was a success, that is, the values of CS (analog double integrator output) and C.M (digital model output) were pretty close during all the time. The set up for this test is is shown in Figure 4.9 . The differences between this implementation and the whole system is that in this scheme the plant is just a double integrator and the model parameters are not being updated.


Figure 4.9 Comparison between Digital and Analog Integrators.
The entire analog plant can be tested and the results compared with the theory: Refering to Figure 4.6 one can see that the plant can be separated in two blocks. The
first block has input $u$ and output $x$ and the second block has input $x$ and output $y$. These points are directly available in the circuit (refer to Figure 4.7).

The second block can be tested in the same way used to test the double integrator. Applying a square wave at input $x$ we obtain a triangular wave at output $y$ The theoretical results are presented in Figure 4.10 and can be obtained as follows:

$$
y(t)=-273.3 \int_{0}^{T}(t) d t=-273.3 \int_{0}^{0.005}=-6.53 \mathrm{~V}
$$

The test of the first block is not so trivial. The output is an exponential function for a step input as shown in Figure 4.11. The Laplace transfer function of the block is:

$$
\frac{X(s)}{U(s)}=\frac{1}{s+20.55} \rightarrow X(s)=\frac{1}{s+20.55} L(s)
$$

Applying a step input of $10 \mathrm{~V}, \mathrm{U}(\mathrm{s})=10$ 's, we obtain:

$$
X(s)=\frac{10}{s(s+20.55)}=\frac{10}{20.55}\left(\frac{1}{s}-\frac{1}{s+20.55}\right)
$$

Then, $x(t)=(10,20.55)[1(t)-\exp (-20.55 t)]=0.49[1-\exp (-20.55 t)]$

The theoretical results are presented in Figure 4.11 . The input frequency was set to 1 Hz to pernit the total excursion of the exponential wave. It is important to sincronize the oscilloscope with the output to obtain a stable image on the screen. The results found in the practical experiment matched very well with those encolintered in the theory. In all the tests the integrators are supposed to be reset right before the test.

The gain of 273.3 ean be splited between the last integrator and the adder to improve the performance of the analog computer. In this case the circuit presented in


Figure 4.10 The Second Integrator.
Figure 4.7 would have the 3 K 6 resistor replaced by a $36 \mathrm{~K} \Omega$ resistor in the last integrator (the gain will be 27.3 ) and the $200 \mathrm{~K} \Omega$ resistor at the adder replaced by a $20 \mathrm{~K} \Omega$ resistor (the gain will be 10 ).

Another good and easy test that can be done to verify the plant design is to apply a step input, say 1 Volt, and measure the output with a strip recorder. The equivalent plot can be done in the mainframe using the programs "Controls" or "Ewald" and the results can be compared. This test was carried out and the plots turned out to be very similar.


Figure 4.11 Testing the First Block of the Plant.
The analog plant just discussed represents a motor of a disk driver. A second transfer function, representing a robot motor, was also implemented and tested. This transfer function was studied in [Ref. 7] and can be written as

$$
G(s)=\frac{9.5 s}{s\left(\frac{s}{9100}+1\right)\left(\frac{s}{0.019}+1\right)}
$$

This transfer function has a real pole at -9100 that can be neglected and another real pole very close to the origin $(-0.019)$ that can be approximated to zero. Therefore, for practical applications, the transfer function can be written as

$$
G(s)=\frac{10}{s^{2}}
$$

This plant was implemented in hardware by using two operational amplifiers in a very similar way as that showed in Figure $4 . S$. The only difference is that in the second integrator the resistor is $1 . M \Omega$, rather than $100 \mathrm{~K} \Omega$. The gain of 10 is obtained in the first integrator to allow a direct test point for the velocity at the output of this stage.

## V. PERFORMANCE OF THE SYSTEM

## A. THE SCALING PROBLEM

As discussed in Chapter II, the input of the system is a commanded step that determines the position to be achieved by a robot arm or a disk driver arm. The actual position of the $\operatorname{arm}(C S)$ is represented in this research by the voltage at the analog plant output, which simulates the transfer function of the motor and load. So. this voltage is a parameter to be measured and converted to an angle in order to compare with the desired position and determine the performance of the system.

Another requirement of the system is the curve following process. that is, the acceleration of the arm must be maximum until the velocity reaches the deceleration curve of the motor and from this point it must follow the curve. The velocity can be obtained from the analog plant by connecting an inverter at the input of the last integrator.

At this point, it becomes necessary to explain the scaling problem between the analog and the digital world involved in this research. The plant input dimension is volts and the output dimension is radians. Therefore, one volt at the plant output represents an angle of one radian. Since the analog to digital converter is an eight bit interface driven by a 5 Volts source, 39 millivolts in the plant output is converted to 1 at the digital output of the ADC. This conversion and other examples are illustrated in Table 8 .

Based on this table the input $R$ applied to the system is a multiple of 2.23 degrees. Also, the number that represents the gain constant, Km , in the program must take the scaling factor into account. Thus, for a Km equal to 300 radians per second we will have in decimal representation:

$$
\mathrm{Km}=300 \times 57.2: 2.23=7708
$$

With the actual ADC the system can handle angles from 2.23 degrees to 2St.2 degrees. This resolution can be improved by increasing the number of bits in the interface. For instance. if a 12 bit interface is used and the reference voltage is kept the same ( 5 V ), the minimum angle will be 0.1 t degrees and the maximum will be 256.3 t degrees.

TABLE 8
THE SCALE PROBLEM

| ADC Input |  |  | ADC Output |  |
| :--- | :---: | :---: | :---: | :---: |
| CS(VoIts) | CS(radians) | CS(degrees) | Decimal | Hexadec. |
| 0.039 | 0.039 | 2.23 | 1 | 1 |
| 0.31 | 0.31 | 17.9 | 8 | 8 |
| 0.62 | 0.62 | 35.8 | 16 | 10 |
| 1.25 | 1.25 | 71.6 | 32 | 20 |
| 2.50 | 2.50 | 142.7 | 64 | 40 |
| 3.11 | 3.11 | 179.0 | 80 | 50 |
| 4.38 | 4.38 | 250.7 | 112 | 70 |
| 4.96 | 4.96 | 284.2 | 127 | $7 E$ |

## B. RESULTS

As pointed out earlier. the system reccives an input command from the keyboard and the analog output of the plant must respond as quickly as possible by using a curve following scheme for the velocity. In the case of this research, the performance of the system was checked by several means.

During the development phase, while the system was not working as in its final version, the tests were done by using the routine Display, off-line (refer to Appendix C). After a run, all the important variables were presented on the screen and we could analyze what happened in every loop of the program. Also, the output of the analog plant was observed in the oscilloscope just to verify if the final position was reached or not. In this phase the velocity of the model was considered to be the same as the velocity of the plant. They are supposed to be similar if the algorithm works well.

After the system started operating well under the verification tests mentioned above, a strip recorder was used to check the position and velocity of the plant. The position is readily available from the analog plant output and the velocity is obtained by taking the input of the last integrator ( $-\operatorname{CSDOT} 27.3$ ) and driving it through a amplifier (and inverter) to get the actual velocity.

The voltages obtained in both cases, position and velocity, are then converted to radians and radians per second. respectively. The tests were carried out for both plants
(disk driver motor and robot motor), using several inputs ( R ). The results are summarized in Figures 5.1 through 5.10. In all plots the velocity of the strip recorder was fixed in 125 mm sec (maximum available). The plots are presented in the sane scale they were obtained from the plotter.

Looking at Figure 5.1 we can see that there is some overshoot in the position (CS) plot. In a real application the bang-bang control would be replaced by a linear compensator when the position is reached and this would prevent the overshoot or would reduce it to an acceptable value. In all the velocity plots it can be noticed that the full acceleration process occurs approximately over half of the trajectory. At the maximum point of the curve the actual velocity of the model (CDOT) or plant (CSDOT) crosses the curve of the desired velocity (XDOT). From this point, the deceleration curve of the motor is followed and the velocity drops following XDOT.

In some cases the actual velocity (CSDOT) stays a little bit greater than XDOT and no "chattering" is observed as can be seen in Figures 5.1 and 5.2. for instance. In other cases CSDOT alternates being greater or less than XDOT and the "chattering" can be noticed as in Figures 5.4 and 5.5 , for instance.

The commanded input in the keyboard is an hexadecimal quantity (last column of Table 8) and using the conversion presented in the Table we can label the plots in radians and radians per second. It is easily seen from the plots that the robot plant is much slower than the disk driver plant, as can be confirmed by comparing the abcissas (time) in the position plots and the ordinates in the velocity plots.

## CS <br>  <br> CSDOT <br> 

Figure 5.1 Position and Velocity for a Disk Driver Motor, $R=0.31 \mathrm{rad}$.


Figure 5.2 Position and Velocity for a Disk Driver Motor, $\mathrm{R}=0.62$ rad.


Figure 5.3 Position and Velocity for a Disk Driver Motor. $\mathrm{R}=1.25$ rad.



Figure 5.4 Position and Velocity for a Disk Driver . Moror, $\mathrm{R}=2.50 \mathrm{rad}$.



Figure 5.5 Position and Velocity for a Disk Driver Motor, $\mathrm{R}=3.11 \mathrm{rad}$.


Figure 5.6 Position and Velocity for a Disk Driver Motor, $R=4.3 \mathrm{~S}$ rad.



Figure 5.7 Position and Velocity for a Robot Motor, $\mathrm{R}=0.62 \mathrm{rad}$.


CSDOT


Figure 5.S Position and Velocity for a Robot Motor, $\mathrm{R}=1.25 \mathrm{rad}$.


Figure 5.9 Position and Velocity for a Robot Motor, $R=2.50 \mathrm{rad}$.



Figure 5.10 Position and Velocity for a Robot Motor, $\mathrm{R}=3.11 \mathrm{rad}$.

## VI. CONCLUSIONS / AREAS FOR FURTHER STUDIES

The control of a robot arm or disk driver arm in minimum time (curve following) and autoadaptive was implemented using a microprocessor. The software was designed to work as a servo mechanism with curve following and to implement the algorithm that updates the model based on samples coming from the arm position. An analog computer simulated the motor and load of the arm.

Two different transfer functions for the analog plant were tested, one for a disk driver motor and other for a robot motor. The first plant (disk driver) is found in [Ref. 1] and the second comes from [Ref. 7].

The initial goal of this research was to build a model to roughly represent the device (plant) to be actuated and by sampling its output to update the model in order to minimize the error between them (model and derice). Once the model is a "copy" of the plant it can be controiled by using velocity feedback, position feedback and curve following in the model and then applying the same input to both plant and device.

The actual algorithm that updates the output of the model and the "gain constant" Km. does not update the velocity. The technical reasons why the velocity is not being updated were explained in Chapter III, but the fact is that the lack of velocity updating did not influence the performance of the system at all since the velocity computed for the model is based upon the updated value of Km and in an indirect way, the relocity is being updated.

The commanded input was applied from the keyboard in order to easily check the system for different inputs. However, as pointed out in Chapter I, this input can come from a central computer and, in this case, several systems like the one described here could be used to actuate different arms.

The results presented in Chapter V show that the system works and can be used in a real application. It was also pointed out that it can be improved. One of the aspects that can be worked out is the interface. The svistem can go from a resolution of 2.23 degrees (eight bits) to a resolution of 0.14 degrees by just changing the interface ( ADC ) to a twelre bit ADC . For a sixteen bit ADC the resolution would go to 0.0087 degrees. The problem here is that at this level the noise starts corrupting the results and additional arrangements (filters, isolations, etc.) must be incorporated.

Another improvement in the performance of the system would be to transform the whole program to a 32 bit program. The impact of this change would be in the accuracy of the system. The actual program does several operations using 32 bit floating point features of the Arithmetic Processing Unit as in the curve computation and in the trapezoidal integration. One concern about the use a 32 bit program is the time. However, a good measure to mininuze the execution time is to cut off all the subroutine calls and imbed them into the main program.

Another important topic for a future research is to connect the microprocessor with a real motor and arm and increase the resolution to 12 bits. Also, the movement of the arm coud have two stages: a large movement. using a resolution of 2.23 degrees ( 8 bits) and a fine adjustment using a resolution of 0.14 degrees ( 12 bits). The $S$ bit interface would allow a faster manipulation of the data during most of the trajectory:

The basic idea and the skills necessary to implement a new hardware; software or improve the one reported here were provided in this research. However, the best legacy of this thesis is the proof that. an autoadaptive algorithm applied in a real time programming for disk drivers and robots can be used succesfully.

## APPENDIX A

## PROGRAM MODEL - 16 BITS



| PLOOP: | LD | $D E,(C M)$ | SDE<---OUTPUT POSITION |
| :---: | :---: | :---: | :---: |
|  | LD | HL, (R) | ;HL<---INPUT POSITION |
|  | CALL | SUBTRACT | ;POSITION ERROR=HL<---HL-DE |
|  | call | STORE | ;SAVE POSITION ERROR |
|  | 10 | C, 0 | ;SET FLAG TO ZERO FOR POS. NUMBERS |
|  | BIT | 7, H | ;IF NUMBER IS POSITIVE, |
|  | JR | z,POSITIVE | ;GO TO LOCATION "POSITIVE" |
|  | 10 | c, 1 | ; IF NUMBER IS NEG., SET FLAG TO 1 |
|  | LD | A, L | ; CONVERT IT IN A POSITIVE NUMBER |
|  | NEG |  | BAC--- 0-A (INVERTS THE A SIGN) |
|  | LD | L, A |  |
|  | LD | A, H |  |
|  | CPL |  |  |
|  | LD | H, A |  |
| POSITIVE: | CALL | CURVE | ; HL <---SQRT (ERROR) KK 1 *SQRT ( 2 KM.VSAT ) |
|  | BIT | $0, \mathrm{C}$ | 3IF FLAG IS O,(THE ERROR WAS POS.) |
|  | JR | Z, OK | ;GO TO "OK" |
|  | LO | $A, L$ | ;THE ERROR WAS NEGATIVE! SO, |
|  | NEG |  | ;CONVERT IT BACK TO NEGATIVE |
|  | LD | L, A |  |
|  | LD | A, H |  |
|  | CPL |  |  |
|  | LO | H,A |  |
| OK: | call | STORE | ;SAVE XDOT |
|  | LD | DE, (CDOT) | 3DE<--- CDOT |
|  | CALL | SUBTRACT | ;XDOTEく--- XDOT-CDOT |
|  | CALL | Store | ;SAVE XDOTE |
|  | BIT | 7, H | ;IF XDOTE IS POSITIVE .. |
|  | JR | Z,PLUS | ;GO TO PLUS |
|  | LO | HL, MVSAT | ; HL<--- -10 |
|  | L0 | A,ODH | ; A<--- D |
|  | OUT | ( DOH), A | ;DAC<--- - 10 VOLTS |
|  | LD | A, O1H | ;SET KMFlag to i when XDOTE< 0. |
|  | LD | (KMFLAG),A | ; KMFLAG <--- A |
|  | JR | VOLTS | ;GO TO VOLTS |
| PLUS: | LD | HL, PVSAT | ; DAC <--- +10 |
|  | LD | A, OFFH | $3 \mathrm{~A}<--\mathrm{FF}$ |
|  | OUT | (00H), A | ;DAC<--- -10V |
| VOLTS: | LD | (V), HL | 34 IS SAVED |
|  | Lo | DS,(KM) | ; DE<--- KM |
|  | call | MULTIPLY | $3 \mathrm{HLS---} \mathrm{CDEOT}=$ KM*V |
|  | call | STORE | ;STORE CDOOT (FOR DISPLAY PURPOSES) |
|  | LD | (CDDOT), HL | bSAVE NEN VAlue of cdoot |
| 3 |  |  |  |
| ; TRAPEZOI | NTEGRA | : INPUT IS | RATION, OUTPUT IS VELOCITY. |
| ;THIS BLOC | ES CDO | M1 + 1 CDDM1 +CD | 2 IN 32 BIT FLOATING POINT |
| ;THE INTE | COMP | TO BE DISPL | F LINE. |
|  | LO | DE,(CDDMI) | 3DEく--- CDDM |
|  | 10 | (CDDM ) , HL | ;CDDM1<--- CDDOT |
|  | LD | A, L | ;APU<--- CDDOT |
|  | OUT | ( D8H), A |  |
|  | LD | A, H |  |
|  | OUT | (08H), A |  |
|  | LD | A,IDH | ;TOS(APU)<--- FLOATICDDOT) |
|  | OUT | ( 0 OH), A |  |
|  | LD | A, E | ;APU<--- CDDMI |
|  | OUT | (08H), A |  |
|  | LO | A, D |  |
|  | OUT | (08H),A |  |
|  | LD | A,10H | ;TOS(APU)<--- FLOAT(CDOMI) |
|  | OUT | (09H), A |  |
|  | Lo | A, 1DH | ;TOS<--- CDDOT+CDDMI |
|  | OUT | (D9H),A |  |
|  | LO | DE, TI | ; DE<--- 2/T |
|  | LD | A, E | 3 APU<--- T1 |
|  | OUT | (08H),A |  |
|  | LD | A, D |  |
|  | OUT | (08H),A |  |
|  | LD | A,1DH | ;TOS<--- FLOAT (TI) |

```
\begin{tabular}{|c|c|c|}
\hline OUT & (09H),A & ; \\
\hline LO & A,13H & ;TOS<--- (CDDOT+CDOM1 IT/2 \\
\hline OUT & (09H),A & \\
\hline LD & DE, (QUOT) & ;DE<---LSBYTE OF CDOT (FLOATING) \\
\hline LD & HL, ( NUMBER) & ; HL<---MSBYTE OF COOT (FLOATING) \\
\hline LD & \(A, E\) & ;TOS<--- COOT (FLOATING POINT) \\
\hline
\end{tabular}
;TOS<---CDOT+(CDDOT+CDDM1)T/2=CDOT
;NUMBER,QUOT<--- FLOAT(CDOT)
H,A
A,(08H)
L,A
A,(08H)
D,A
A,(08H)
E,A
(NUMBER),HL
(QUOT),DE
A,E
(08H),A
LD A,D 
LD A,L
OUT (OSH),A
LO A,H
CUT (O8H),A
LD A,IFH ;TOS<--- INTEGER{CDOT)
OUT (O9H),A
IN A,(08H) ;HL<--- INTEGER(CDOT)
LD H,A
IN A,(08H)
LD L,A
LD (CDOT),HL ;SAVE CDOT
CALL STORE ;CDOT IS STORED TO BE DISPLAYED
;
;TRAPEZOIDAL INTEGRATION : INPUT IS VELOCITY
;THIS BLOCK DOES: CM=CM11+(CDMI +COOT )*T/2
;
\begin{tabular}{|c|c|c|}
\hline LD & DE, (CDMI) & ; CE <--- COM1 \\
\hline LD & (CDMI), HL & ; CDM1 IS UPDATED (CDM1<--- CDOT) \\
\hline CALL & ADDITION & ; HL<--- CDHl +CDOT \\
\hline LD & DE, TIOCF & ; \(D E<---T 1 / C F=18\) \\
\hline CALL & DIVIDE & ; HL \(<--(\) CDOT +CDMI )/T 10F=CDOT*CF/T 1 \\
\hline Lo & de, (CMCF) & ; DE<--- CMCF ( \(C M * 100\) ) \\
\hline CALL & ADDITION & ; \(\mathrm{HL}=\mathrm{CMCF}=\mathrm{CMCF}+(\mathrm{CDMI}+\) CDOT \() * T / 2\) \\
\hline LO & ( CMCF), HL & ;CMCF IS UPDATED \\
\hline LD & DE, (CF) & ; DE<--- CF \\
\hline CALL & OIVIDE & ; \(\mathrm{HL}<---C M C F / C F=C M\) \\
\hline LD & (CM), HL & ;CM IS UPDATED \\
\hline call & STORE & ;SAVE CM (MODEL OUTPUT) \\
\hline call & ANALOG & ;HL<---CS FROM ANALOG PLANT \\
\hline CALL & Store & ;STORE CS FOR DISPLAY PURPOSES \\
\hline call & Halg & ;KM AND CM ARE UPOATED \\
\hline Lo & \(\mathrm{HL},(\mathrm{NN})\) & ;HL<--- LOOP COUNTER \\
\hline CALL & STORE & ; STORE LOOP COUNTER \\
\hline INC & HL & ; INCREMENT LOOP COUNTER \\
\hline LD & ( NN ), HL & ;SAVE LOOP COUNTER \\
\hline LD & A, (NS) & ; A <--- NS \\
\hline INC & A & \\
\hline LD & (NS),A & ;NS<--- NS+1 \\
\hline CP & 01H & ; IS NS=1? \\
\hline JR & Z,RESET & ;IF YES, GO TO RESET. \\
\hline
\end{tabular}
```

|  | LD | A，OFFH | BAく－－－FF |
| :---: | :---: | :---: | :---: |
|  | LD | （MFLAG），A | ；MFLAGく－－－ 11111111 |
|  | JR | SCREEN | ；GO TO SCREEN |
| RESET： | LD | A，（MFLAG） | 弓べく－－－MFLAG |
|  | CPL |  | ；COMPLEMENT The flag |
|  | LD | （ 1 （1FLAG），A | ；MFLAG IS CCMPLEMENTED |
|  | LD | A， 0 | 3Aく－－－ 0 |
|  | LD | （ NS ），A | ；NSく－－－ 0 |
| SCREEN： | LD | （ N ），IY | ；Nく－－－IY |
|  | LD | A，（N＋1） | SA＜－－－HIGH BYTE OF IY |
|  | CP | 24 H | ；IS IT 24？（MEMORY ENDS AT 23FFH） |
|  | JR | NZ，CONTIINUE | ；if IT IS NOT，GO TO CONTINUE |
|  | LD | A，55H | ；SET MFLAG to avoid further storages |
|  | LD | （MFLAG），A | ；SINCE THE MEMORIES ARE FULL． |
| CONTINUE ： | JP | PLOOP | ；ENDLESS LOOP |
| ； |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
| ；THIS SUBROUTINE INPUTS THE ANALOG OUTPUT FROM THE PLANT（CS） |  |  |  |
| ； |  |  |  |
| ANALOG： | LD | A， 0 | SENABLE THE ADC CONVERTER |
|  | OUT | （02H），A | ；PORTC＜－－－ 00 |
| HOLD ： | IN | A，（02H） | ；AC－－－ready line from a／d via p．c |
|  | CP | 0 | SIS A／D READY？ |
|  | JR | NZ，HOLD | SIF NOT，VERIFY AGAIN． |
|  | IN | A，（01H） | SAC－－－CS FROM PORT B |
|  | AD | A， 80 H | ；CS IS CONVERTED TO 2＇S COMPLEMENT |
|  | BIT | 7，A | ；CHECK OVERFLOW dUe to negative |
|  | JR | Z，GOOD | ；VOLTAGE FRCi1 A／d．If there is |
|  | LD | A， 0 | ；OVERFLOW，Aく－－－0 |
| GOOD ： | LD | L，A | ；Lく－－－CS |
|  | LD | H， 0 | ； H ＜－－－0 |
|  | LD | （CS），HL | ¢SAVE CS |
|  | LD | A， 80 H | ；AC－－－CONTROL WORD TO DISABLE ADC |
|  | OUT | （02H），A | §PORT C＜－－－80H |
|  | RET |  |  |
| ；THIS SUBROUTINE IMPLEMENTS WIKSTRON ALGORITHM TO COMPUTE KM AMD CDOT USING |  |  |  |
|  |  |  |  |
| ；THE ANALOG OUTPUT FRCM THE PLANT（CS）．THEN，CM，CDOT AND KM ARE UPDATED |  |  |  |
| $\begin{array}{l}; K M=2 C S / V S A T(N T) * * 2 ~ A N D ~ C D O T ~\end{array}$（CS－CSMI $) / T . \quad \mathrm{CR}, \mathrm{KM} 1=(1652 \% / \mathrm{N} * * 2) * C S * 10$ ，WHERE |  |  |  |
|  |  |  |  |
| ； |  |  |  |
| WALG： | LD | A，（KMFLAG） | SVERIFY FLAG．IF IT IS I DO NOT |
|  | CP | 0 | ；COMPUTE KM ANYMORE．KEEP the |
|  | JR | NZ，KMFIX | ；last value． |
|  | LD | HL，KMC | ；HLC－－－KMC $=2 / \mathrm{VSAT} * T * * 2 * 10$ |
|  | LD | DE，（NAN） | ；DE＜－－－COUNTER |
|  | CALL | divide | 3HL＜－－－KMC／N |
|  | LD | DE，（CS） | ；DE＜－－－CS |
|  | LD | A，E | ；A＜－－－CS |
|  | CP | 0 | ； |
|  | JR | Z，KMFIX | ；IF CS＝0，KEEP INITIAL KM |
|  | CALL | MULTIPLY | ；HLC－－－（KMC／N）＊CS |
|  | LD | DE，（NM） | ；DE＜－－－NN |
|  | CALL | divide | ；HLC－－－（ $\mathrm{KMC} / \mathrm{N} * * 2$ ）$* \mathrm{CS}$ |
|  | LD | DE，04．4 | ；DE＜－－－ 10 |
|  | CALL | multifly | ；HL＜－－－（KMC／N＊＊2）＊CS＊10＝KM |
|  | LD | A，H | ； $4<---$ MSEYTE OF KM |
|  | CP | OCH | ；IF KM＞BOT2，SET KM TO OCCCH |
|  | JP | M，KMSMALL | ；ELSE，GO TO KıiSitall |
|  | LD | DE，OCCCH | ；DE＜－－－OCCCH＝ 3276 |
|  | LD | （KM），DE | ；KM＜－－－ 3276 |
|  | JR | KMFIX | ；GO TO Kirfix（DO NOT GO TO KMSMALL） |
| KMSMALL： | LD | （KM），HL | ；KM IS UPDATED |
| KMFIX： | LD | HL，（CS） | ；HL＜－－－CS |
|  | LD | （ CM）， HL | ；CMC－－－CS，CM IS UPDATED |
|  | CALL | STORE | ；store new value of cm |

RET
；
；ADDITION ROUTINE USING THE INTEL APU 8231 ：HLS－－－HL＋DE
； ADDITION：CALL OUTOP ；SEND OPERANDS TO 8231 LD A，GCH ；ADD CCMMAND $\begin{array}{lll}\text { OUT } & \text {（ } 09 \mathrm{H}), A \\ \text { CALL } & \text { INOP } & \text { GET RESULT AND STORE IN HL }\end{array}$ RET
；
；SUBTRACTION ROUTINE USING THE APU 8231：HLく－－－HL－DE ；
SUBTRACT：CALL OUTOP „SEND OPERANDS TO 8231 STACK
LD A，6DH $\operatorname{SE}$ CND COMMAND SUBTRACT TO 8231
CALL INOP ；GET THE RESULT FROM 8231
；
；MULTIPLICATION ROUTIHE USING THE APU 8231：HLく－－－HL＊DE
；

| MULTIPLY： | CALL | OUTOP | ；SEND OPERANDS TO 8231 |
| :--- | :--- | :--- | :--- |
|  | LD | A，6EH | ；SEND COMMAND MULTIPLY TO 8231 |
|  | OUT | $109 H 1$, A |  |
|  | CALL | INOP |  |
|  | RET |  | ；GET THE RESULT AND STORE IN HL |

；THIS SUBROUTINE COMPUTES（SQRT（ERROR））＊K1＊SQRT（2．VSAT．KM）USING 32 BITS
；FLOATING POINT OPERATIONS OF THE ARITHMETIC PROCESSING UNIT（APU）．
CURVE：LD A，L ；SEND DATA TO 8231 （16 BITS）

| OUT | $(08 \mathrm{H}), \mathrm{A}$ |
| :--- | :--- |
| LD | $\mathrm{A}, \mathrm{H}$ |


| LD | A 108 H$), A$ | SEND COMMAND TO CONVERT 16 BITS |
| :--- | :--- | :--- |
| OUT | $(09 H), A$ | SINTEGER TO 32 BITS FLOATING POIN |


| LD | $A, 01 \mathrm{H}$ | ；SEND SQRT COMMAND |
| :--- | :--- | :--- |
| OUT | $(09 \mathrm{H}), A$ | ； |

LD DE，KIA ；DEC－－－KIA＝KI．SQRT（2．VSAT．KM）
LD A，E ；APUC－．－KIA

| LD | A，D |
| :--- | :--- |
| OUT | （OBH $), A$ |

LD A，IDH ；TOS（APU）＜－－－FLOAT（KIA）
OUT $(09 \mathrm{H}), A$ ；
LD A，12H ；MULTIPLY KIA＊SQRT（E）

| OUT | $(09 H), A$ | ； |
| :--- | :--- | :--- |
| LD | A, 1 FH | CONVERT THE RESULT TO 16 BITS |
| OUT | $(09 H), A$ | $;$ |

IN $A,(O B H)$ ；STORE THE RESULT IN HL

| LD | $H, A$ |
| :--- | :--- |
| IN | $A,(08 H)$ |
| LD | $\mathrm{L}, A$ |

store the result IN HL
;
;THIS ROUTINE STORES INTERMEDIATE RESULTS TO BE DISPLAYED OFF LINE
;
STORE: LD A,(MFLAG) ;VERIFY MFLAG STATUS.
CP 0 ;IF IT IS O, STORE DATA.
JR NZ,NOSTOR ;ELSE, DO NOT STORE.
D (IY),L ;MEMORYく--- DATA (LOKH)
INC IY ;IY IS INCREMENTED
$\begin{array}{llll} & \text { INE } & \text { IY } & \text { IY IS } \\ \text { NOSTOR: } & \text { RET } & \\ \text {;DIVISION ROUTINE USING THE APU 8231: HLく--- HL/DE }\end{array}$
;
DIVIDE: CALL OUTCP ;OUTPUT OPERAKDS TO 8231 STACK
LD A,GFH ;EXECUTION COMMAND FOR DIVISION
OUT ( 09 H ),A ;IS SENT TO 8231



## APPENDIX B MONITOR

## 1. MONITOR FEATURES

The monitor is a program that provides all the software support for the microprocessor. It works as a supervisor of the svistem. When the reset switch is hit. the monitor takes over. The program counter is loaded with address zero and the monitor starts performing the initialization routines. The stack pointer is initialized. the serial port (video terminal communication) is set up and some messages are sent to the screen. After that the monitor (program "Main") waits for a command from the keyboard.

The first message sent to the screen is a presentation of the system and the second one asks for a command (E. D or $H$ ). Taking the first choice, that is, typing"E". forces the program counter to be loaded with the program Model address and the program will be executed. If " D " is chosen, the results of the last run will be displared on the screen (program counter is loaded with routine Display address) .If key H (Help) is typed, a list of features provided by the operational system is presented on the screen. All the possible utilizations of the monitor are included in the mentioned list. These features will be detailed in the next paragraphs.

The "List" command permits us to list a portion of the memory. For instance, to look at the memory from addresses 1000 H to 1100 H the appropriate command is: L1000, 1100<ret>.

The "change" command allows us to make changes in the memories (RA.W). Thus, even small routines can be written in the spaces available. It is a powerful tool for debugging programs. For instance, to change data between addresses 15 BOH and 15 BFH the command should be : C15B0.15BF < ret>. After this command the data contained at memory location 15 BOH will be displayed and the cursor will be at the first nibble of this data. To change the actual data. just type the new one. To skip this address. type return.

The "Go" command permits us to run a program that is already in the RAM. Suppose a program was written in the example just mentioned between the addresses 15 BOH and 15 BFH . The command to run this program is the following: G15B0.15C0<ret>. Notice that the end address is one address above the last
instruction location. The program will run and the CPU registers will be displayed at the end. So, if the program has loaded some results into these registers, they will be available. Also, all the memories addresses can be checked by using the "List" command. The end address of the "Go" command is called "breakpoint" and can be any address inside the program. This allows a valuable debugging process of the program.

The "Registers" command is used to look at the CPU registers (on the screen). The conmand is issued by typing : $\langle\mathrm{R}\rangle$.

The "Transfer" command is used to transfer the program "Model" from the EPROM to the RAM (address 1000 H ). It is issued by typing $\langle\mathrm{T}\rangle$. Once the program is in the RAM it can be modified by using the "Change" command and can be debugged and executed by using the "Go" command.

When the progran "Model" is transfered to the RA.M it can be executed by typing $\langle\mathrm{M}\rangle$. In order to run the program "Model" in the RA.M it is necessary to change the address of the last instruction of the main program. This instruction is a jump to the beginning (JP PLOOP) of the program that is now at a different address (the original address is in the EPRO.V). So, we have to find out the new address of "PLOOP" in the RA.M using the PR.N file of program "Model" and then change the instruction "JP PLOOP".

The "Display" command is a feature that permits the presentation of the variables of program "Model" on the screen after the execution of the program. The variables are stored in the data memory every tine the program is executed in the EPROM or RA.M. This command is issued by typing $\langle\mathrm{D}\rangle$. The variables to be presented on the screen are: Error, XDOT, XDOTE, CDDOT, CM, CS and $\cdots$ (number of loops). After the command the first ten rows are shown. To get the next ten rows, hit any key.

## 2. MONITOR PROGRAMIS

In this section the programs that belong to the monitor are presented. They were developed during the EC- 3800 course and modified a little bit to be used in this thesis.


| FWDARH | EQU | OCH SASCII F | FOREWARD ARROW |
| :---: | :---: | :---: | :---: |
| ESC | EQU | IBH SASCII ES | ESCAPE |
| SPACE | EQU | 2 HH ;ASCII S | SPACE |
| CR | EQU | ODH ;ASCII C | CARRIAGE RETURN |
| LF | EQU | OAH ;ASCII L | LINE FEED |
| ; | RS-232 PORT CONFIGURATION WORDS |  |  |
| ; R |  |  |  |
| ; |  |  |  |
| MRI | EQU | OCEH |  |
| MR2 | EQU | 7DH |  |
| CMO | EQU | 5 |  |
| ; |  |  |  |
|  | CSEG |  |  |
| RESET : | Lo | SP, 1600H |  |
|  | Jp | MONINIT |  |
| ; |  |  |  |
|  | ORG | 30 H |  |
| RST30: | JP | TRAP30 |  |
| ; |  |  |  |
|  | ORG | 38 H |  |
| INTM1: | Jp | $\mathrm{O9COH}$ |  |
| ; |  |  |  |
|  | ORG | 66 H |  |
| NMINT : | Jp | O9AOH |  |
| ; |  |  |  |
| 3 |  |  |  |
| , | MONINIT PUSHE | ALL THE REGISTERS | S ONTO the stack before |
| ; | ENTERING THE | MONITOR |  |
|  | ORG | 100 H |  |
| MONINIT: | : LD | A, MRI |  |
|  | OUT | ( RSMODE), A |  |
|  | LD | A,MR2 |  |
|  | OUT | ( RSMODE), A |  |
|  | LD | A, C:1D |  |
|  | OUT | ( RSCMD), A |  |
|  | CALL | SCRLF | ,MOVE CURSOR TO NEXT LINE |
|  | LD | IX, MONMSG | ;SET PTR TO MON MESSAGE |
|  | CALL | MESSAGE | ;PRINT"HI ROBERTO, I AM READY!" |
|  | CALL | SCRLF | ;MOVE CURSOR TO NEXT LINE |
|  | LD | IX,TYPMSG | ;SET POINTER TO TYPE MESSAGE |
|  | CALL | Message | ;PRINT"TYPE ...E,D,T ..." |
|  | CALL | SCRLF |  |
|  |  |  |  |
| MONLOOP: | : CALL | MONITOR | ;INVOKE MONITOR |
|  | JR | MONLOOP | ; LOOP FOREVER |
| b |  |  |  |
| MONITOR: |  | (IXREG),IX | ;SAVE IX AT MONITOR ENTRY |
|  | pop | IX | ;GET PC AT MONITOR ENTRY |
|  | LD | (PCREG), IX | ;STORE PC IN STAX+PCDIS |
|  | LD | (SPREG),SP | 引SAVE SP AT MONITOR ENTRY |
|  | LD | (IYREG), IY | ;SAVE IY AT MONITOR ENTRY |
|  | PUSH | AF | ;PUSH A \& F |
|  | POP | IX | ;GET A3 F |
|  | LD | (AFREG), IX | ;STORE AF |
|  | LD | (BCREG), BC | ;STORE BC |
|  | LD | (DEREG), DE | ;STORE DE |
|  | LD | (HLREG), HL | ;STORE HL |
|  | EX | $A F, N F^{\prime}$ |  |
|  | EXX |  |  |
|  | PUSH | AF | ;PUSH A' \& F' |
|  | POP | I\% | ; IX <-- AF' |
|  | LD | (AFALT),IX | ;Store AF' |
|  | LD | (3CALT), BC | ;STORE BC' |
|  | LD | ( DEALT), DE | ;STORE DE, |
|  | LD | (HLALT), HL | ; STORE HL' |
|  | IN | A, (RSSTAT) | ;GET CONSOLE Status |
|  | AND | 2 | ; IS A CHAR READY |
|  | CALL | nz, command | ;GO TO COMmAND DECCODER |
|  | Lo | IX, (AFALT) | ; RESTORE AF* |


|  | PUSH | IX |  |
| :---: | :---: | :---: | :---: |
|  | POP | AF |  |
|  | Lo | BC, (BCALT) | ;RESTORE BC' |
|  | LD | DE, (DEALT) | ;RESTORE DE' |
|  | LD | HL, (HLALT) | ;RESTORE HL' |
|  | EX | $A F, A F \cdot$ | ;RESTORE ALL ALT REGS |
|  | EXX |  |  |
|  | Lo | HL, (HLREG) | ; RESTORE HL |
|  | LD | DE, (DEREG) | ;RESTORE DE |
|  | LD | BC, (BCREG) | ;RESTORE BC |
|  | LD | IX,( $\lambda F R E G)$ | ;RESTORE AF |
|  | PUSH | IX |  |
|  | PCP | $\lambda F$ |  |
|  | Lo | IY, (IYREG) | ;RESTORE IY |
|  | LD | SP,(SPREG) | ;RESTORE SP |
|  | LD | IX,(PCREG) | ;RESTORE PC |
|  | PUSH | IX |  |
|  | LD | IX, (IXREG) | ;RESTORE IX |
|  | RET |  |  |
| ; |  |  |  |
| ; |  |  |  |
|  | $\begin{aligned} & \text { DS } \\ & \text { END } \end{aligned}$ | 1 |  |
|  | THIS PROGRAM | SPLAYS The C | NTS OF MEMORY FROM THE |
| S | STARTING ADDR | S to the end | RESS |
| b 380 |  |  |  |
| . 280 |  |  |  |
| PUBLIC | GO,LI | ,REG,REGDISP | XERR, DIS, TRF, MOD, HELP |
| EXTRN | BACKS | BKPT, BCUT, BU | , CHAR, CHGREGS, COMMA, CR |
| ExTRN | EADDR | S, EAMSG, ECHO | MSG, ESC , FALSE, FLAG, FWDARW |
| EXTRN | GETAD | , GETCHAR, GET | , HEXCNV, HEXCONV, HEXM1SG, LINENO, MESSAGE |
| EXTRN | OPCOD | REGMSG, RSTAR | SADDRESS, SAMASG, SCRLF, SCROLL, SPACES |
| EXTRN | TEMP, | UE, DISPLAY, ${ }^{\text {T }}$ | FER, MODEL, DISMSG, TRANMSG, MODMSG |
| EXTRN | Stax, | REG, PCREG,AF | IXREG, IYREG, AFALT, H1, H2, H3, $\mathrm{H} 4, \mathrm{H5}, \mathrm{H} 6$ |
| ExTRN | H7, H 8 |  |  |
|  |  |  |  |
| REGLENGHT | T EQU | 8 | ;LENGHT OF REGLIST |
| ; |  |  |  |
| GHEXERR: | LD | B,4 |  |
|  | Call | SPACES |  |
|  | LD | IX, HEXMSG | ;LOAD HEX CONVERSION MSG |
|  | call | message |  |
|  | call | SCRLF |  |
| GO: | LD | B, 2 | ;SET 2 SPACES |
|  | CALL | SPACES | SPRINT 2 SPACES |
|  | call | GETSTRIN | ;GET CMD STRING FOR GO |
|  | CALL | HEXCONV | ; CONVERT ASCII TO HEX |
|  | JR | c, GHEXERR | ; IF CARRY IS SET DISPLAY ERROR MSG |
|  | LD | (PCREG), DE | ;ENTER START ADDRESS |
|  | XOR | $A$ | ;CLEAR 2 |
|  | CP | (IX) | SIS THERE A BREAKPOINT |
|  | JR | z,GOEXIT | ;NO, EXIT |
|  | LD | A, COMMA | ; A <-- COMMA |
|  | CP | ( HL) | ; IS CHARACTER A COMMA ? |
|  | JR | NZ,GOEXIT | ; IF IT IS NOT, EXIT |
|  | Inc | HL | ;ADJUST PTR TO NEXT CHAR |
|  | DEC | (IX) | ;adjust char count |
|  | CALL | HEXCNV | ;CONVERT ASCII TO HEX |
|  | jR | c, GHEXERR | ; IF CARRY IS SET DISPLAY ERROR MSG |
|  | LD | A, (DE) | ;GET CONTENTS OF BREAKPT |
|  | LD | (OPCODE),A | ; AND SAVE IN OPCCDE |
|  | LD | ( EKPT), DE | ;SAVE BREAKPOINT |
|  | LD | 2,RSTART30 | ;GET OPCODE FOR RST30 |
|  | LD | (DE), 入 | ;INJECT RST30 OPCOCE |
| GOEXIT : | CALL | SCRLF |  |
|  | RET |  |  |


| ; <br> LHEXERR: |  |  |  |
| :---: | :---: | :---: | :---: |
|  | LD | B,4 |  |
|  | Call | SPACES |  |
|  | LD | IX, HEXMSG | ;LOAD HEX CONVERSION MSG |
|  | call | message |  |
|  | CALL | SCRLF |  |
| LIST: | LD | B,2 | ;SET 2 SPACES |
|  | Call | spaces | ;PRINT 2 SPACES |
|  | Call | GETSTRIN | ;GET CMD STRING FOR LIST |
|  | CALL | HEXCONV | ;CONVERT ASCII ADDRESS |
|  | JR | C, LHEXERR | ;IF CARRY IS SET DISPLAY ERROR MSG |
|  | LD | (SADDRESS), DE | ;START ADCRESS <-- DE |
|  | XOR | A | ¢CLEAR A |
|  | CP | (IX) | ; IS THERE AN END ADDRESS |
|  | JR | z,LOADEND | ;NO, DEFAULT TO O |
|  | INC | HL | ; ADJUST PTR TO NEXT CHAR |
|  | DEC | ( IX) | ; ADJUST CHAR COUNT |
| LOADEND: | CALL | HEXCNY | ;CONVERT ASCII ADDRESS |
|  | JR | C, LHEXERR | ; IF CARRY IS SET OISPLAY ERROR MSG |
|  | LD | (EADDRESS), DE | ;END ADDRESS <-- DE |
|  | call | SCRLF |  |
| NEWLINE: | call | LINENO | ;DISPLAY ADDRESS |
|  | LD | HL, (SADDRESS ) | ;GET MEMORY POINTER |
| GETABYTE: | LD | A, (HL) | ;GET MEMORY BYTE |
|  | CALL | BOUT | ;DISPLAY MEMORY BYTE |
|  | LD | A, (FLAG) |  |
|  | CP | true | ;is the change flag set |
|  | CALL | $Z, \mathrm{CHANGE}$ | ;YES, CHANGE A byte |
|  | LD | B,2 | ;SETUP FOR 2 SPACES |
|  | CALL | SPACES | ;PRINT 2 SPACES |
|  | LD | DE, (EADDRESS) | ;DE <-- END ADDRESS |
|  | XOR | A | ;CLEAR CARRY |
|  | SBC | HL, DE | ;IS START => END |
|  | JR | NC, LISTEXIT | ;NO, EXIT |
|  | LD | HL, (SADDRESS ) | ,GET MEMORY POINTER |
|  | INC | HL | ,INCREMENT START ADDRESS |
|  | LD | (SADDRESS), HL |  |
|  | LD | A, L | ;GET SADDRESS.LOW |
|  | AND | OFH | ; IS THIS A NEW LINE |
|  | JR | nz, getabyte | ; NO, GET A NEW BYTE |
|  | call | SCRLF | ; MOVE CURSOR TO NEW LINE |
|  | CALL | SCROLL | ;START \& STOP SCROLLING |
|  | LD | A, (CHAR) | ;GET SCROLL CHAR |
|  | C. | ESC | ;IS IT AN ESCAPE |
|  | JR | Z,LISTEXIT | ;YES, EXIT |
|  | jR | NEWLITE | ;START A NEWLINE |
| LISTEXIT: | call | SCRLF | ;NO, ADJUST CURSOR \& EXIT |
|  | RET |  |  |
| ; |  |  |  |
| CHANGE : | LD | B,2 | ;SETUP FOR 2 BACK SPACES |
| CHGAGIN: | CALL | BACKSP | ;BACK SPACE 2 SPACES |
|  | call | GETSTRIN | ;GET ANY NEW CHARACTERS |
|  | LD | A, (BUFFIN) | ;GET STRINiG LENGTH |
|  | CP | 0 | ; IS STRING LENGTH $=0$ |
|  | JR | $Z$, NOENTRY |  |
|  | LD | B, A |  |
|  | CP | 1 | ; IS STRING LENGTH <Z |
|  | JR | Z,CHGAGIN | ;YES, DO IT AGAIN |
|  | LD | (TEMP), A | ;SAVE STRING LENGTH |
|  | CALL | HEXCONV | ; COIVERT BYTE TO HEX |
|  | LD | HL, (SADDRESS) | ; RESTORE HL PTR |
|  | LD | ( HL), E | ;STORE CHAR IN BYTE |
|  | LD | A, (TEMP) | ;SET CURSOR RESTORE BASE |
|  | NEG |  | ; NEGATE STRING LENGTH |
| NOENTRY: | ADD | A, 2 | ;add 2 TO RESTORE BASE |
|  | JR | Z, CHANGEX | ;IF 0 ADJUST EXIT |
|  | LD | B, A |  |
|  | CALL | P,SPACES | ;IF PLUS RESTORE CURSOR |


| CHANGEX: | $\begin{aligned} & \text { LD } \\ & \text { RET } \end{aligned}$ | HL, (SADDRESS ) | ;RESTORE HL BEFORE RETURN |
| :---: | :---: | :---: | :---: |
| ; |  |  |  |
| REG: | Call | SCRLF |  |
|  | LD | IX,REGIASG | ;SETUP REG A MESSAGE |
|  | CALL | REGDISP | ;DISPLAY REGISTERS |
|  | LD | IX,CHGREGS | ;SETUP REG CHANGE MESSAGE |
|  | CALL | message | ;"ENTER REG to Change" |
|  | CALL | SCRLF |  |
|  | call | getchar | ;GET SELECTED REGISTER |
|  | Call | ECHO | ;ECHO REG NAME TO CRT |
|  | LD | A, (CHAR) |  |
|  | LD | (TEMP), A |  |
|  | CP | CR | ; NO CHANGE? |
|  | JR | Z,REGEXIT | ;YES, EXIT |
|  | CP | "S" | ; Change Sp? |
|  | $j R$ | Z,CHGSP | ;YES, JUMP CHGSP |
|  | CP | "р" | ; CHANGE PC? |
|  | JR | Z,CHGPC | ;YES, JUMP CHGPC |
|  | CP | "X" | ; Change IX? |
|  | JR | Z,CHGIX | ;YES, JUMP CHGIX |
|  | CP | "Y" | ; CHANGE IY? |
|  | JR | Z,CHGIY | ;YES, JUMiP CHGIY |
|  | CALL | getchar | ;GET NEXT CHAR IN CMD |
|  | CALL | ECHO |  |
|  | LD | A, (CHAR) |  |
|  | CP | "', | ; IS REG AN ALTERNATE |
|  | JR | Z,CHGALT | ¢YES, CHANGE ALT REG SET |
|  | CP | CR | ; END OF CMD? |
|  | JR | NZ,REGERR | ;NO, JUMP REGERR |
| CHGREG: | LD | HL, AFREG+1 | ;GET PTR TO REGS ON STAX |
|  | JR | LOADLIST |  |
| CHGALT: | LD | HL, AFALT +1 | ;GET PTR TO REGS ON STAX |
| LOADLIST: | LD | IX,REGLIST | ;GET IX TO "AFBZDZHZZ" |
|  | LD | B, REGLENGHT-1 | ;SET REGLIST COUNT |
|  | LD | A, (TEMP) | ;RETRIEVE REG NAME |
| REGSCAN: | CP | (IX) | ;IS REG = SELECTED REG |
|  | JR | Z,REGCONT | BYES, OUTPUT CONTENTS |
|  | INC | IX | ;POINT TO NEXT REG |
|  | DEC | HL | ;POINT TO NEXT REG |
|  | DJNZ | REGSCAN | ;GET NEXT REGLIST |
|  | LD | IX,ERRMSG | ;REG NOT FOUND GET ERRMSG |
|  | CALL | message | ;"ERROR RE-ENTER" |
| REGEXIT: | CALL | SCRLF |  |
|  | RET |  |  |
| REGERR: | LD | IX,ERRMSG |  |
|  | CALL | message |  |
|  | RET |  |  |
| ; ${ }^{\text {a }}$ |  |  |  |
| CHGSP: | LD | HL, SPREG +1 | ;GET SP AT MON ENTRY |
|  | JR | REGCONT | ;GET NEW CONTENTS |
| CHGPC : | 10 | HL, PCREG+1 | ;GET PC AT MON ENTRY |
|  | JR | REGCONT | ;GET NEW CONTENTS |
| CHGIX: | LD | HL, IXREG+1 | ;GET IX AT MON ENTRY |
|  | JR | REGCCNT | ;GET NEW CONTENTS |
| CHGIY: | LD | HL, IYREG+1 | ;GET IY AT MON ENTRY |
| REGCONT: | PUSH | HL | ;SAVE HL |
|  | LD | B, 4 |  |
|  | CALL | SPACES | ;PRINT 4 SPACES |
|  | CALL | GETSTRIN | ;GET NEW REG CONTENTS |
|  | CALL | HEXCONV | ;CONVERT CCNTENTS TO HEX |
|  | POP | HL | ; RESTORE HL |
|  | LD | A, (TEMP) |  |
|  | CP | "A" | ;IS REG A? |
|  | JR | Z,AORF | ;YES, GO TO AORF |
|  | CP | "F" | ; IS REG F? |
|  | JR | Z,AORF | ; YES, GO TO AORF |
|  | LD | A, D | ; GET HI BYTE OF HEXBUF |
|  | LD | ( HL), A | ; LOAD REG PAIR HI BYTE |


|  | DEC | HL | ;POINT TO LOW REG PAIR |
| :---: | :---: | :---: | :---: |
| AORF: | LD | A, E | ;GET LO BYTE OF HEXBUF |
|  | LD | (HL), A | ;LOAD REG PAIR LOW BYte |
|  | CALL | SCRLF | ;OUTPUT CR AND LF |
|  | JR | REGEXIT | ; EXIT |
| ; |  |  |  |
| REGDISP: | LD | HL, AFREG+1 | ;POINT TO A \& F IN STAX |
|  | LD | C, 2 | ;SET LOOP FOR A AND F |
|  | CALL | ONEREG | ; DISPLAY A \& F |
|  | LD | C, 3 | ;SET FOR 3 REGS |
|  | CALL | REGPAIR | ; DISPLAY BC, DE, \& HL |
|  | LD | HL, IXREG +1 | ,POINT TO IXREG IN STAX |
|  | LD | C, 2 | ;SET FOR 3 REGS |
|  | Call | REGPAIR | ;DISPLAY BC, DE, \& HL |
|  | CALL | SCRLF |  |
|  | LD | HL, AFALT +1 | ;POINT TO A' \& F' IN STAX |
|  | LD | C, 2 | ;SET LOOP FOR A' AND F' |
|  | CALL | ONEREG | ;DISPLAY A' \& F' |
|  | LD | C, 3 | ;SET FOR 3 REGS |
|  | CALL | REGPAIR | ;DISPLAY BC',DE', \& HL' |
|  | LD | HL, SPREG+1 | ;POITN TO SP \& PC |
|  | LD | C, 2 | ;SET FOR 2 REGS |
|  | CALL | REGPAIR | ;DISPLAY SP \& PC |
|  | CALL | SCRLF | ; GENERATE CR \& LF |
|  | RET |  |  |
| ; |  |  |  |
| ONEREG: | CALL | MESSAGE | ;"AF " |
|  | CALL | REGDUMP | ;DISPLAY REG CONTENTS |
|  | INSC | IX | ;POINT TO NEXT MSG |
|  | OEC | c | ;DEC REG LOOP COUNTER |
|  | JR | NZ, ONEREG | ;MORE REGS GO TO ONEREG |
|  | RET |  |  |
| REGPATR: |  |  |  |
| REGPAIR: | CALL | MESSAGE | ;"HL " |
|  | CALL | REGDUMP | ;DISPLAY REG CONTENTS |
|  | CALL | REGDUMP | SDISPLAY REG CONTENTS |
|  | INC | IX | ;POINT TO NEXT MSG |
|  | DEC | C | ;DEC REG LOOP COUNTER |
|  | JR | NZ,REGPAIR | ;MORE REGS GO TO REGPAIR |
|  | RET |  |  |
|  |  |  |  |
| REGDUMP: | LD | A, (HL) | ;GET REG |
|  | CALL | BOUT | ;OUTPUT REG TO CRT |
|  | DEC | HL | ;POINT TO NEXT REG |
|  | RET |  |  |
| DIS: | CALL | SCRLF |  |
|  | LD | IX,DISMSG | ;IX<--- MESSAGE ADDRESS |
|  | CALL | MESSAGE | ;" DISPLAY THE RESULTS" |
|  | CALL | SCRLF |  |
|  | CALL | DISPLAY | ;DISPLAY RESULTS ON SCREEN |
|  | RET |  |  |
| TRF: | CALL | SCRLF |  |
|  | LD | IX,TRANMSG | ;IX<--- MESSAGE ADDRESS |
|  | Cáll | MESSAGE | ;"TRANSFER MODEL TO RAM" |
|  | CALL | SCRLF |  |
|  | Call | TRANSFER | ;TRANSFER MODEL TO RAM (1000) |
|  | RET |  |  |
| MOD : | CALL | SCRLF |  |
|  | LD | IX,10DP1SG | ;IX<--- MESSAGE ADDRESS |
|  | CALL | message | ;" RUN YOUR MODEL" |
|  | CALL | SCRLF |  |
|  | CALL | M1CDEL | ;RUN MODEL |
|  | RET |  |  |
| HELP: | CALL | SCRLF |  |
|  | LD | IX, H1 |  |
|  | CALL | MESSAGE |  |
|  | CALL | SCPLF |  |
|  | CALL | SCRLF |  |
|  | LD | IX, H2 |  |

```
            CALL MESSAGE
            CALL SCRLF
            CALL SCRLF
            LD IX,HS
            CALL MESSAGE
            CALL SCRLF
            CALL SCRLF
            LD IX,H4
            CALL MESSAGE
            CALL SCRLF
            CALL SCRLF
            LD IX,H5
            CALL MESSAGE
            CALL SCRLF
                CALL SCRLF
                    LD IX,HG
                CALL MESSAGE
                CALL SCRLF
                CALL SCRLF
                    LD IX,H7
                    CALL MESSAGE
                CALL SCRLF
                    CALL SCRLF
                    LD IX,H8
                    CALL MESSAGE
                                    CALL SCRLF
                                    CALL SCRLF
                            RET
                            DC "AFBZDZHZZ"
                    DS I
                            END
            THIS PROGRAM DECODES COMMANDS AND INVOKES THE PROPER
            COMMAND ROUTINES
                                    COMMAND
                                    CHAR,ECHO,ERRMSG,FALSE,FLAG,GETCHAR,GO,LIST,MESSAGE,HELP
                                    REG,SCRLF,TRUE,DIS,TRF,MOD
                                    CALL GETCHAR ;GET A CHAR FROM CRT
                                    CALL ECHO ;ECHO CHAR BACK TO CRT
                                    LD A,(CHAR) ;GET CMD CHAR
                                    CP 'G' BIS CHAR A "G"
                                    JP Z,GO ;YES, EXECUTE CODE
                                    LD HL,FLAG
                                    ld (HL),TRUE ;SET Change flag
                                    CP 'C' ;IS CHAR A "C"
                                    JP Z,LIST ;YES,CHANGE MEMORY
                                    LD (HL),FALSE BCLEAR CHANGE FLAG
                                    CP 'L' ;IS CHAR A "S"
                                    JP Z,LIST ;NO, LIST MEMORY
                                    CP 'R' SIS CHAR AN "R"
                                    JP Z,REG ;YES, DISPLAY REGS
                                    CP 'D' ;IS CHARACTER A "D"?
                                    JP Z,DIS ;YES,DISPLAY RESULTS
                                    CP 'T' ;IS CHARACTER A "T"?
                                    JP Z,TRF STRANSFER MOOEL TO RAM
                                    CP 'E' SIS CHARACTER AN "E"?
                                    JP Z,MOD ;RUN MODEL
                                    CP 'M' IIS CHARACTER AN "M" ?
                                    JP Z,1000H ;GO TO RAM, ADDRESS 1000H
                                    CP 'H' SIS CHARACTER AN "H" ?
                                    JP Z,HELP BIF YES, GO TO HELP (IN LIST)
                                    LD IX,ERRMSG ;GET ERROR MESSAGE PTR
                                    CALL MESSAGE ;PRINT "ERROR RE-ENTER"
                                    CALL SCRLF ;MOVE CURSOR TO NEXT LINE
                                    RET
                                    END
```





|  |  | CALL | ECHO | SDISPLAY CHARACTER |
| :---: | :---: | :---: | :---: | :---: |
|  |  | call | CONCAT | ; CONCATENATE THIS CHAR WITH THE Others |
|  |  | JR | BUILD | ;GET NEXT CHARACTER |
| STRINGEX: |  | LD | A, C | ;A REG <-- NUMPER OF CHAR IN STRING |
|  |  | Lo | (BUFFIN), A | ;STRING LENGTH IS STORED IN BUFFIN(0) |
|  |  | RET |  |  |
| ; |  |  |  |  |
|  |  | DS 1 |  |  |
|  |  | END |  |  |
| ; $\quad$ T | THIS | PROGRAM | DISPLAY THE STARTI | VG ADDRESS OF THE CURRENT |
| L | LINE |  |  |  |
| ; |  |  |  |  |
| . 280 |  |  |  |  |
| PUBLIC |  | LINEN |  |  |
| EXTRN |  | BOUT, | SADDRESS,SPACES |  |
| ; |  |  |  |  |
| LINENO: |  | LD | A, (SADDRESS +1 ) | ;GET MSB CURRENT ADDRESS |
|  |  | CALL | BOUT | ; DISPLAY HI ADORESS BYTE |
|  |  | LD | A,(SADDRESS) | ;GET LSB CURRENT ADDRESS |
|  |  | CALL | BOUT | ; DISPLAY LOW ADDRESS BYTE |
|  |  | LD | B,4 | ;SETUP FOR 4 SPACES |
|  |  | CALL | SPACES | SPRINT 4 SPACES |
|  |  | RET |  |  |
|  |  | DS | 1 |  |
|  |  | END |  |  |
| T | THIS | PROGRAM | SENDS OUT A CARRIA | ge return and line feed |
| ; |  |  |  |  |
| . 280 |  |  |  |  |
| 3 |  |  |  |  |
| PUBLIC |  | BACKS | , SCRLF,SCROLL, SPA | CES |
| EXTRN |  | BS, CH | AR,CR, SCHO,ESC,GET | CHAR,LF,RSSTAT |
| EXTRN |  | FWDAR |  |  |
| ; |  |  |  |  |
| BACKSP: |  | LO | A,BS | SA <-- BACK SPACE |
|  |  | CALL | ECHO | ;SEND SPACE TO CRT |
|  |  | DJNZ | BACKSP | SYES, GOTO SPACES |
|  |  | RET |  |  |
| ; |  |  |  |  |
| SCRLF: |  | LD | A, CR | BA <-- ASCII RETURN |
|  |  | CALL | ECHO | ;SEND A RETURN TO CRT |
|  |  | LD | A, LF | ; A <-- ASCII LINE FEED |
|  |  | CALL | ECHO | sSEND A LINE FEED TO CRT |
|  |  | RET |  |  |
| 3 |  |  |  |  |
| SPACES: |  | LD | A,FWDARW | ;A <-- FOREWARD ARROW |
|  |  | CALL | ECHO | ;SEND SPACE TO CRT |
|  |  | DJNZ | SPACES | ;YES, GOTO SPACES |
|  |  | RET |  |  |
| ; |  |  |  |  |
| SCROLL: |  | IN | A, (RSSTAT) | ;GET CONSOLE STATUS |
|  |  | CP | 2 | ; IS A Char ready |
|  |  | $J R$ | NZ, SEXIT | SNO, EXIT |
|  |  | CaLl | getchar | ;YES, GET THE CHARACTER |
|  |  | LD | A, (CHAR) | ; A <-- CHAR |
|  |  | CP | ESC | ;is the char an escape |
|  |  | JR | Z, SEXIT | ;YES, TERPMINATE SCROLL |
| PAUSECK: |  | IN | A, (RSSTAT) | ;GET CONSOLE STATUS |
|  |  | CP | 2 | ; Is a Char ready |
|  |  | JR | NZ,PAUSECK | ;NO, CONTINUE PAUSE |
|  |  | CALL | GETCHAR | sclear rec reg |
| SEXIT: |  | RET |  |  |
|  |  | DS | 1 |  |
|  |  | END |  |  |
| T | THIS | PROGRAM | GETS AN ASCII ADOR | ESS AND CONVERTS IT TO HEX |
| 3 , |  |  |  |  |
| ; |  |  |  |  |
| . 280 |  |  |  |  |
| PUBLIC |  | GETAD |  |  |
| EXTRN |  | BUFFI | N,GETSTRIN, HEXCON | , MESSAGE, SCRLF |


| GETADDR: | CALL | SCRLF | ;MOVE CURSOR TO NEXT LINE |
| :--- | :---: | :--- | :--- |
|  | CALL | MESSAGE | ;PRINT ADDRESS MESSAGE |
|  | CALL | GETSTRIN | ;GET ASCII ADDRESS |
|  | CALL | SCRLF | ;MOVE CURSOR TO NEXT LINE |
|  | CALL | HEXCONV | ;CONVERT ADDRESS TO HEX |
|  | JR | C,GETADDR | ;ERROR, GET NEM ADDRESS |

```
LD IX,REGMSG SPREPARE TO DISPLAY REGISTERS
CALL REGDISP
JP MONLOOP
SDISPLAY REGISTERS
RET
DS
END
```


## APPENDIX C

## EQUIPMENT AND OPERATIONAL PROCEDURES

## 1. EQUIPMENT

The experimental ststem consists of the following parts:

1. Three protoboards for the microprocessor. extra memories (data memories) and analog plant
2. One video terminal
3. One $+5 \mathrm{~V}: 5 \mathrm{~A}$ power supply
4. One $-5 \mathrm{~V} / 300 \mathrm{~mA}$ power supply
5. One $+12 \mathrm{~V} / 300 \mathrm{~mA}$ power supply
6. One $\pm 15 \mathrm{~V} / 1$ A power supply
7. One oscilloscope for measuring the analog output.

## 2. PROCEDURE

In the actual configuration the objective of the hardware is to receive $a$ commanded input from the keyboard (robot arm angle to be displaced) and provide the corresponding voltage at the plant output. This voltage represents the actual displacement of the robot arm and is monitored by the oscilloscope at the plant output. The commanded input (hexadecimal), when converted to decimal represents a multiple of 2.23 degrees. The minimum input allowed is 1 and the maximum is 7 F (hexadecimal). In decimal they represent inputs from 1 to 127 and in degrees they are equivalent to angles between 2.23 to 284.2 dgrees, respectively.

The operational procedure to run the system, in a step by step basis can be described as follows:

1. Turn on the main power, power supplies, monitor and oscilloscope.
2. Connect one channel of the oscilloscope to the plant output (CS). A second channel can be used to observe the plant input (V).
3. Reset the microprocessor by pressing the reset switch. The screen will display three options (execution, display and help). Hit <E> to run the program.
t. The program will ask for the angle input. Type an hexadecimal number less or equal to 7 FH (decimal 127). Adjust the oscilloscope scale accordingly. The biggest voltage will be equal to the decimal input multiplied by 0.039 Volts.
4. Reset the integrators in the analog plant. the last integrator switch must be released last to guarantee zero output at the beginning of the program.
5. Type < ret> right after releasing the reset switch.
6. The program will run and the plant output can be observed at the oscilloscope. The voltage on the oscilloscope represents the angle position in radians.
7. Reset the microprocessor.
8. Type $\langle D>$ on the kevboard to displar the results. As explained in Appendiy C. the variables will be displayed in eight columns. From left to right they will be : Error. XDOT, XDOTE, CDDOT. CDOT, CM, CS and $\therefore 2$ (number of loops accomplished by the program up to that row ).
9. To scroll up the rows and look at some more data, hit any key.
10. At the end of the data memory the screen will show an error message to indicate that there is no more data available. To look at the data again. reset the micro and type $<\mathrm{D}>$.

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